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# $B^0 \rightarrow D^* \pi$ 崩壊事象を用いた CP対称性の破れの測定

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and Belle collaboration

# 内容

- 導入
- Signal MC の再構成
- Generic MC を使用した Signal fraction の見積もり
- Generic MC の $\Delta t$  fit
- Signal MC + Generic MC の $\Delta t$  fit
- まとめ

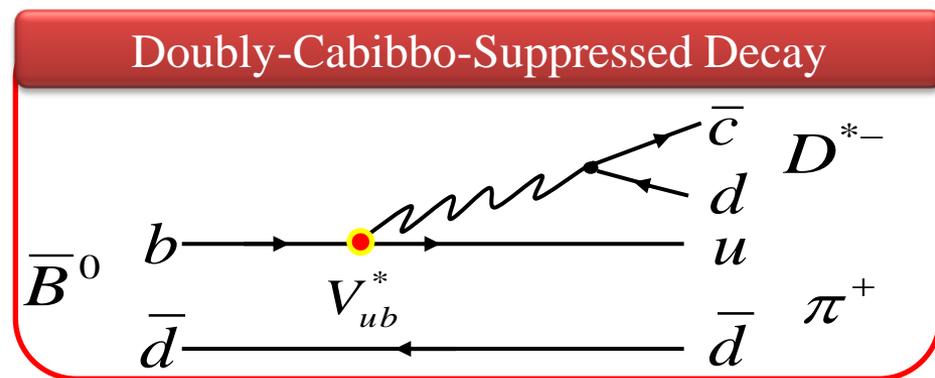
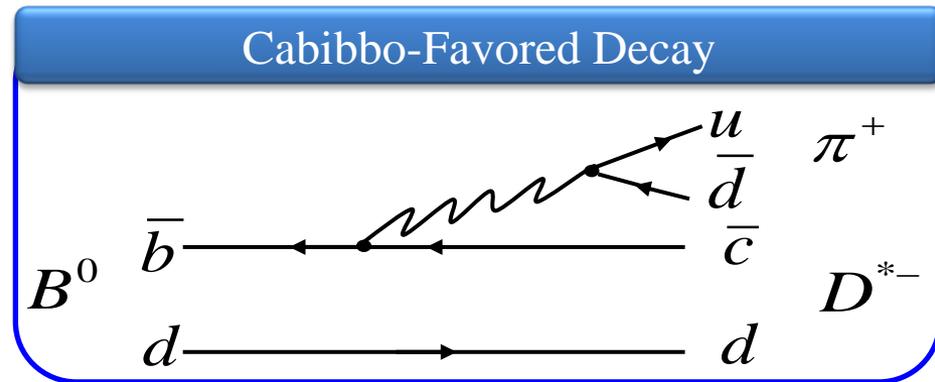
# 導入

- 動機 : CP非保存角  $\phi_3 \equiv \arg\left(\frac{V_{ud}V_{ub}^*}{-V_{cd}V_{cb}^*}\right) \cong -\arg(V_{ub}^*)$  の精密測定
- $B^0 \rightarrow D^* \pi$  崩壊

- 二つの崩壊経路

$$B^0 \rightarrow D^{*\mp} \pi^\pm, \bar{B}^0 \rightarrow D^{*\pm} \pi^\mp$$

- DCSD が  $V_{ub}$  を含む



## 崩壊率

$$P(B^0 \rightarrow D^{*\mp} \pi^\pm) \propto 1 \pm C \cos(\Delta m \Delta t) - S^\mp \sin(\Delta m \Delta t)$$

$$P(\bar{B}^0 \rightarrow D^{*\pm} \pi^\mp) \propto 1 \pm C \cos(\Delta m \Delta t) + S^\pm \sin(\Delta m \Delta t)$$

$$S^\pm = -\frac{2R}{1+R^2} \sin(2\phi_1 + \phi_3 \pm \delta)$$

$$R = \frac{\Gamma(B^0 \rightarrow D^{*+} \pi^-)}{\Gamma(B^0 \rightarrow D^{*-} \pi^+)} \sim 0.02, \delta = \text{強い相互作用の位相差}$$

➡

$S^\pm$  が小さく、精密な測定が必要

# 導入：今までの結果

- 再構成方法

- Partial reconstruction: 検出効率が良い
- Full reconstruction: 信号/背景事象の比が良い

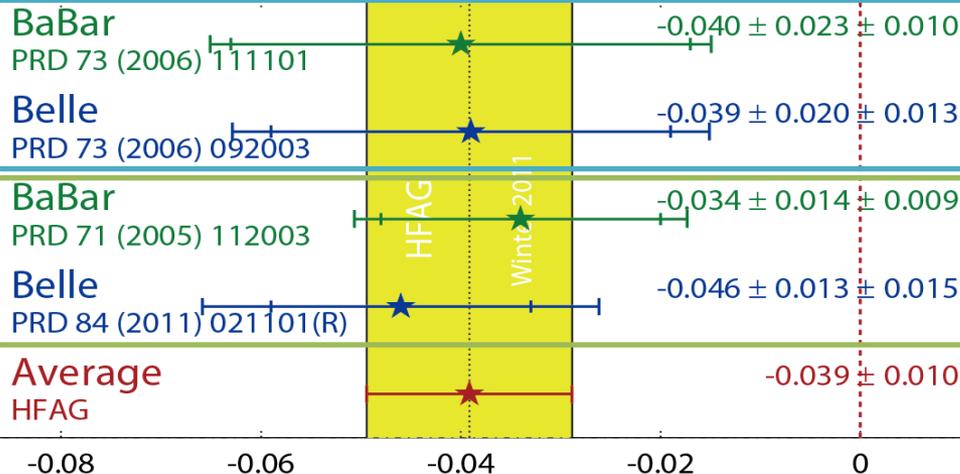
$$B^0 \rightarrow D^* \pi$$

$$D^* \rightarrow D^0 \pi$$

$$D^* \rightarrow D\pi^0$$

Merged  $D^*\pi$  a

**HFAG**  
Winter 2011  
PRELIMINARY

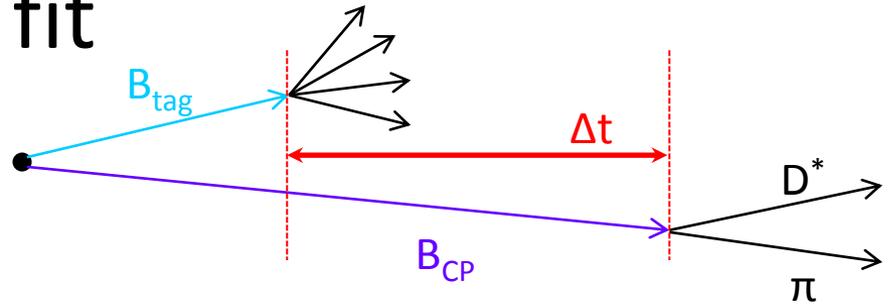


Full reconstruction

Partial reconstruction

独立

- Full reconstruction,  $386 \times 10^6 \rightarrow 772 \times 10^6$  BB ペア
- 統計誤差:  $0.020 \rightarrow 0.014$

$\Delta t$  fit

$\Delta t$  の情報を失った  
イベントの補正

- $\Delta t$ :  $B_{tag}$  と  $B_{CP}$  の崩壊時間差
  - $B_{CP}$ :  $B^0 \rightarrow D^* \pi$
  - $B_{tag}$ : flavor 同定に使用

PDF

$$P(\Delta t) = (1 - f_{ol}) \left[ \underbrace{f_{sig} P_{sig}}_{\text{信号}} + (1 - f_{sig}) \left\{ \underbrace{f_{B^0 \bar{B}^0} P_{B^0 \bar{B}^0}}_{\text{中性B}} + \underbrace{f_{B^+ B^-} P_{B^+ B^-}}_{\text{荷電B}} + \underbrace{\left(1 - f_{B^0 \bar{B}^0} - f_{B^+ B^-}\right) P_{con}}_{\text{B以外}} \right\} \right] + \underbrace{f_{ol} P_{ol}}_{\text{補正}}$$

-  $P_{sig}$ : 信号事象項

前回はまとめていた  
→ より精密な測定のため、  
個別に求めることとした

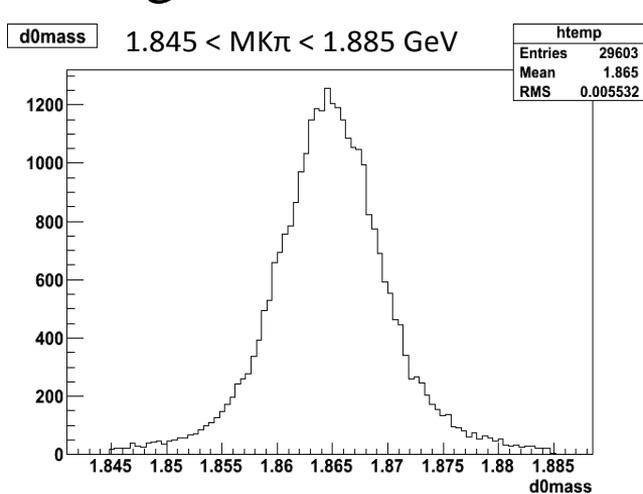
$$P(D^{*\mp} \pi^\pm, q_{tag}) = \int \frac{e^{-|\Delta t'|/\tau_{B^0}}}{8\tau_{B^0}} \left\{ 1 - q_{tag} \Delta w_i \pm q_{tag} (1 - 2w_i) \right. \\ \left. \times \left( C \cos(\Delta m \Delta t') - q_{tag} S^\mp \sin(\Delta m \Delta t') \right) \right\} \\ \times R(\Delta t - \Delta t') d\Delta t'$$

検出器のresolution補正項

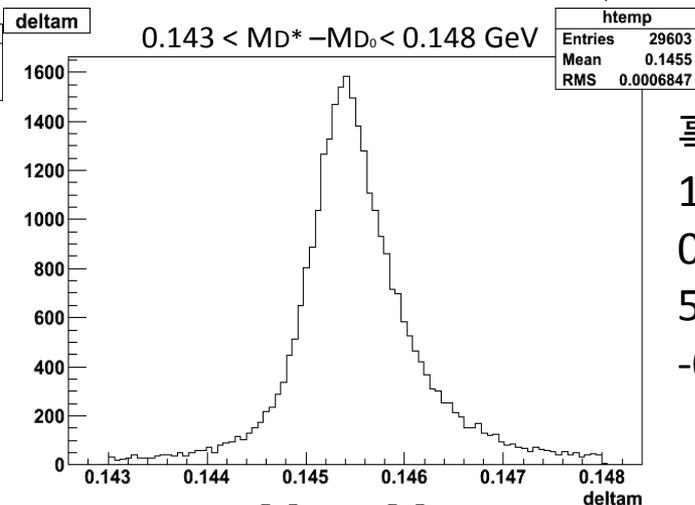
- B の崩壊を模擬したデータサンプル(Generic MC)で、上記を求めた

# 再構成: $B^0 \rightarrow D^* \pi$ , $D^* \rightarrow D^0 \pi$ , $D^0 \rightarrow K \pi$

- Signal MC 100,000 events を生成、再構成 (Data :  $\sim 56,000$  events)



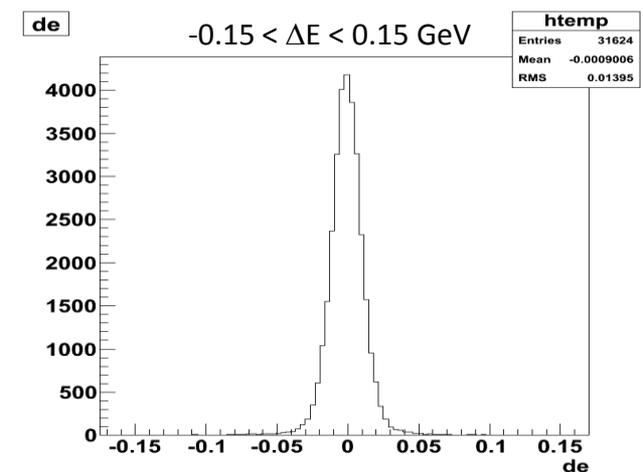
$$M_{K\pi}$$



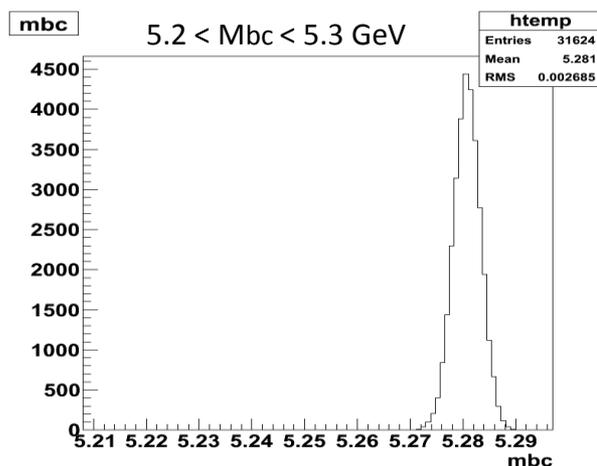
$$M_{D^*} - M_{D^0}$$

事象選別

- $1.845 < M_{K\pi} < 1.885$  GeV
- $0.143 < M_{D^*} - M_{D^0} < 0.148$  GeV
- $5.27 < M_{bc} < 5.29$  GeV
- $-0.045 < \Delta E < 0.045$  GeV



$$\Delta E = E_B - E_{Beam}$$



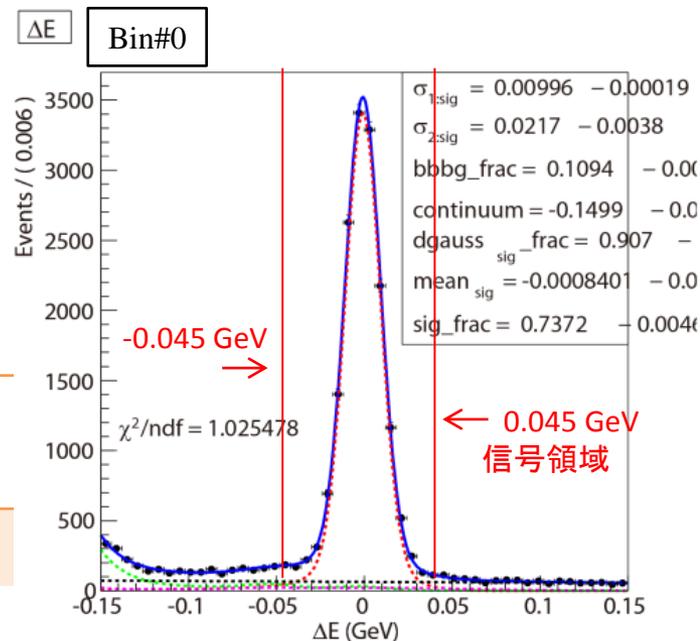
$$M_{bc} = \sqrt{E_{Beam}^2 - P_B^2}$$

再構成数: 29,603  $\sim$  30%

# Generic MCを使用した Signal fraction 決定

- $\Delta E$  を使用して、含まれる信号事象の比を求めた。

Bin#0 → Bin#6 Flavor tag 信頼度高
変数
信号事象: ダブルガウシアン B以外の背景事象: 直線 信号事象比
B 背景事象: 固定



信号事象 ~ 89%  
 $B^0$  BG ~ 2%,  $B^\pm$  BG ~ 4%  
 B 以外 ~ 5%

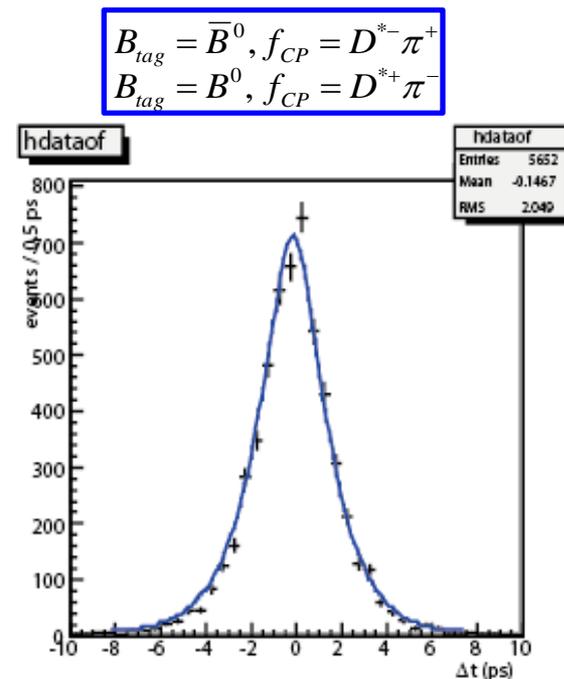
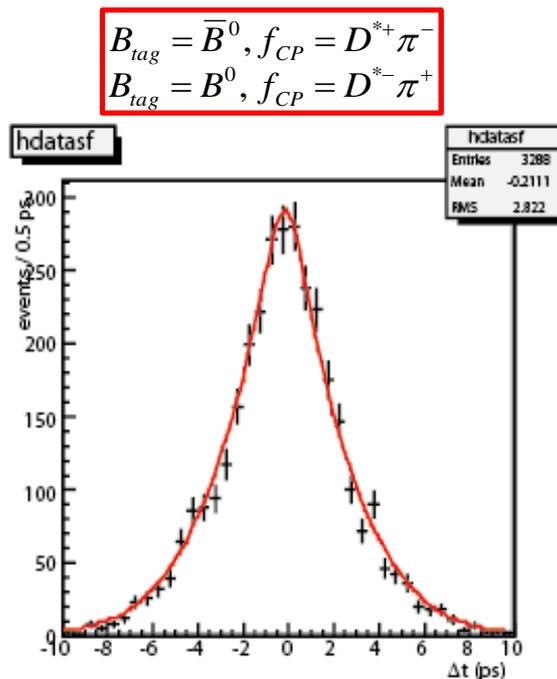
Flavor tag 信頼度	信号事象	中性B 背景事象	荷電B 背景事象	B以外の 背景事象
Bin#0	89%	2%	4%	5%
Bin#1	89%	2%	4%	5%
Bin#2	90%	3%	4%	3%
Bin#3	90%	2%	3%	5%
Bin#4	89%	3%	4%	5%
Bin#5	91%	3%	3%	3%
Bin#6	95%	3%	2%	0%

# 中性B中間子背景事象の $\Delta t$ fit

$$P_{B^0BG}(\Delta t, q_{tag}, q_{cp}) = \int \underbrace{\frac{e^{-|\Delta t'|/\tau_{B^0BG}}}{\delta\tau_{B^0BG}}}_{\text{寿命項}} \left\{ \underbrace{1 - q_{tag}q_{cp}(1 - 2w_{rbin})}_{\text{Flavor tag 補正}} \underbrace{\cos(\Delta m\Delta t')}_{\text{B}^0\text{B}^0\text{bar mixing 項}} \right\} \times \underbrace{R(|\Delta t - \Delta t'|)}_{\text{Resolution 補正}} d\Delta t'$$

## Fit 結果

Name	Value
$\tau_{B^0BG}$	$1.525 \pm 0.019$ (ps)
$\Delta m$	$0.516 \pm 0.013$
$w_0$	0.50 (fixed)
$w_1$	$0.45 \pm 0.02$
$w_2$	$0.29 \pm 0.02$
$w_3$	$0.23 \pm 0.02$
$w_4$	$0.18 \pm 0.02$
$w_5$	$0.12 \pm 0.02$
$w_6$	$0.03 \pm 0.01$



# 荷電B中間子背景事象の $\Delta t$ fit

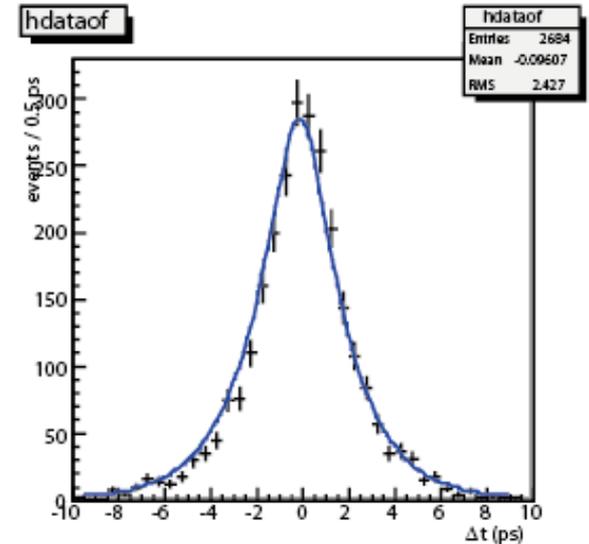
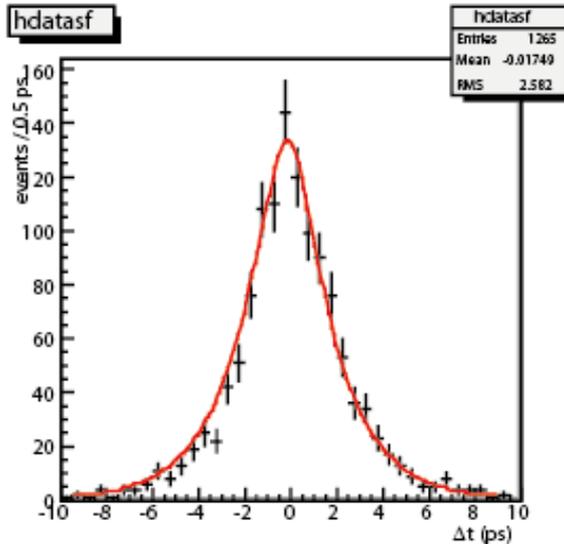
$$P_{chg}(\Delta t, q_{tag}, q_{cp}) = \int \frac{e^{-|\Delta t'|/\tau_{chgB}}}{8\tau_{chgB}} \left\{ 1 - q_{tag} q_{cp} (1 - 2w_{rbin}) \right\} \times R(\Delta t - \Delta t') d\Delta t'$$

## Fit 結果

Name	Value
$\tau_{chgB}$	$1.599 \pm 0.029$ (ps)
$w_0$	0.50 (fixed)
$w_1$	$0.44 \pm 0.02$
$w_2$	$0.32 \pm 0.02$
$w_3$	$0.26 \pm 0.02$
$w_4$	$0.16 \pm 0.02$
$w_5$	$0.13 \pm 0.02$
$w_6$	$0.04 \pm 0.01$

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*+} \pi^- \\ B_{tag} &= B^0, f_{CP} = D^{*-} \pi^+ \end{aligned}$$

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*-} \pi^+ \\ B_{tag} &= B^0, f_{CP} = D^{*+} \pi^- \end{aligned}$$



# B以外の背景事象の $\Delta t$ fit

$$P_{con}(\Delta t) = \int P_{con}(\Delta t') \cdot R_{con}(\Delta t - \Delta t') \cdot d\Delta t'$$

$$P_{con}(\Delta t) = f_{\delta} \delta(\Delta t - \mu_{\delta}) + (1 - f_{\delta}) \cdot \exp\left(-\frac{|\Delta t - \mu_{\tau}|}{\tau_{con}}\right)$$

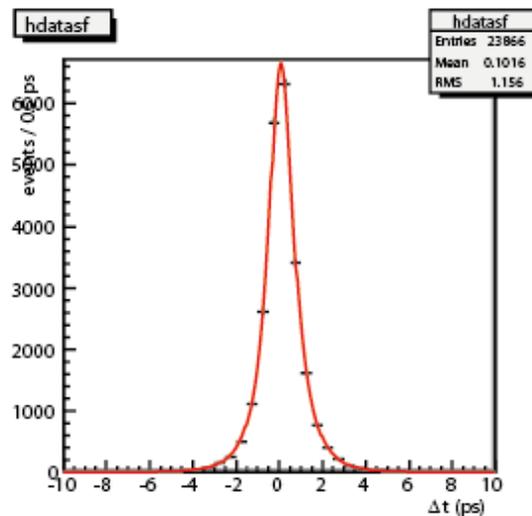
$$R_{con}(\Delta t) = (1 - f_{con}^{tail}) \cdot G(\Delta t; s_{con}^{main}, \sigma_{vtx}) + f_{con}^{tail} \cdot G(\Delta t; s_{con}^{tail}, \sigma_{vtx})$$

## Fit 結果

	Single-track vertex Either CP or tag B	Multi-track vertex Both CP and tag B
$f_d$	$0.26 \pm 0.04$	$0.39 \pm 0.02$
$m_d$	$0.046 \pm 0.007$	
$m_{\tau}$	$0.14 \pm 0.01$	
$\tau_{con}$	$0.58 \pm 0.02$	
$s_{bkg}^{main}$	$1.07 \pm 0.03$	$1.34 \pm 0.02$
$s_{bkg}^{tail}$	$5.40 \pm 0.42$	$4.87 \pm 0.26$
$f_{bkg}^{tail}$	$0.088 \pm 0.010$	$0.047 \pm 0.007$

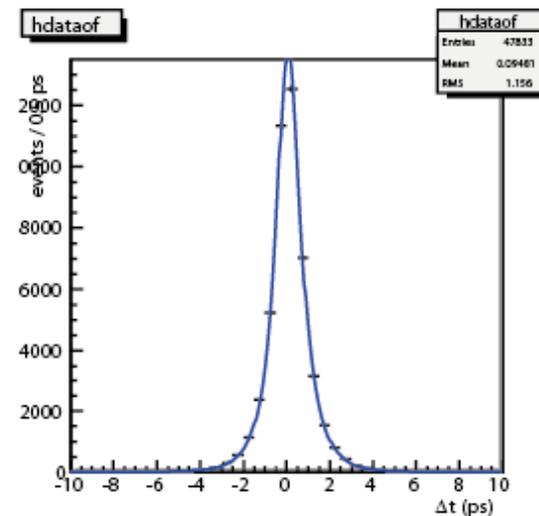
$$B_{tag} = \bar{B}^0, f_{CP} = D^{*+} \pi^{-}$$

$$B_{tag} = B^0, f_{CP} = D^{*-} \pi^{+}$$



$$B_{tag} = \bar{B}^0, f_{CP} = D^{*-} \pi^{+}$$

$$B_{tag} = B^0, f_{CP} = D^{*+} \pi^{-}$$



# 信号事象 + 背景事象での Δt fit

• PDF

$$P(\Delta t) = (1 - f_{ol}) \left[ f_{sig} P_{sig} + (1 - f_{sig}) \left\{ f_{B^0\bar{B}^0} P_{B^0\bar{B}^0} + f_{B^+B^-} P_{B^+B^-} + (1 - f_{B^0\bar{B}^0} - f_{B^+B^-}) P_{con} \right\} \right] + f_{ol} P_{ol}$$

- 信号事象/背景事象比:  $f_{sig}, f_{B^0\bar{B}^0}, f_{B^+B^-}$

-  $P_{B^0\bar{B}^0}$ : 中性B中間子背景事象項

-  $P_{B^+B^-}$ : 荷電B中間子背景事象項

-  $P_{con}$ : B中間子以外の背景事象項

-  $f_{ol} P_{ol}$ : Δt の情報を失った成分 ← 40 ps の幅を持つガウシアン

-  $P_{sig}$ : 信号事象項

$$P(D^{*\mp} \pi^\pm, q_{tag}) = \int \frac{e^{-|\Delta t'|/\tau_{B^0}}}{8\tau_{B^0}} \left\{ 1 - q_{tag} \Delta w_i \pm q_{tag} (1 - 2w_i) \times (C \cos(\Delta m \Delta t') - q_{tag} S^\mp \sin(\Delta m \Delta t')) \right\} \times R(\Delta t - \Delta t') d\Delta t'$$

Flavor tag 補正, 信頼度ごと

検出器のresolutionの補正項

→ signal MC + generic MC について  $S^\pm$  を fit

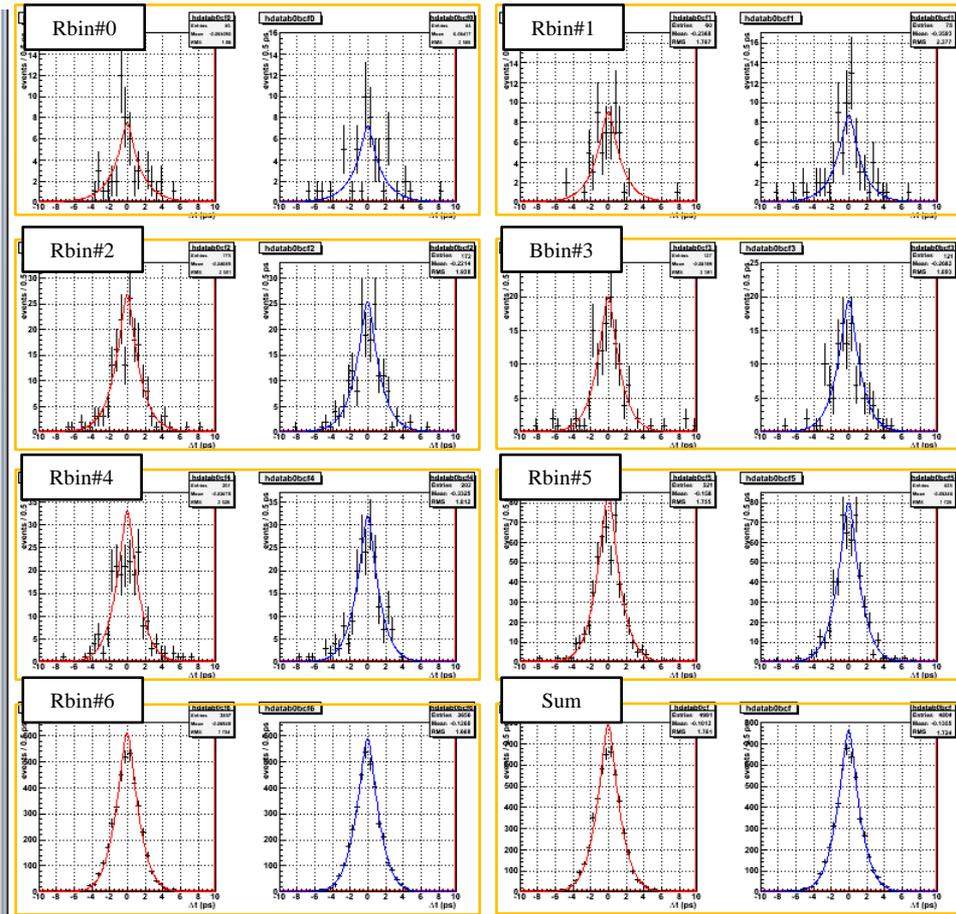
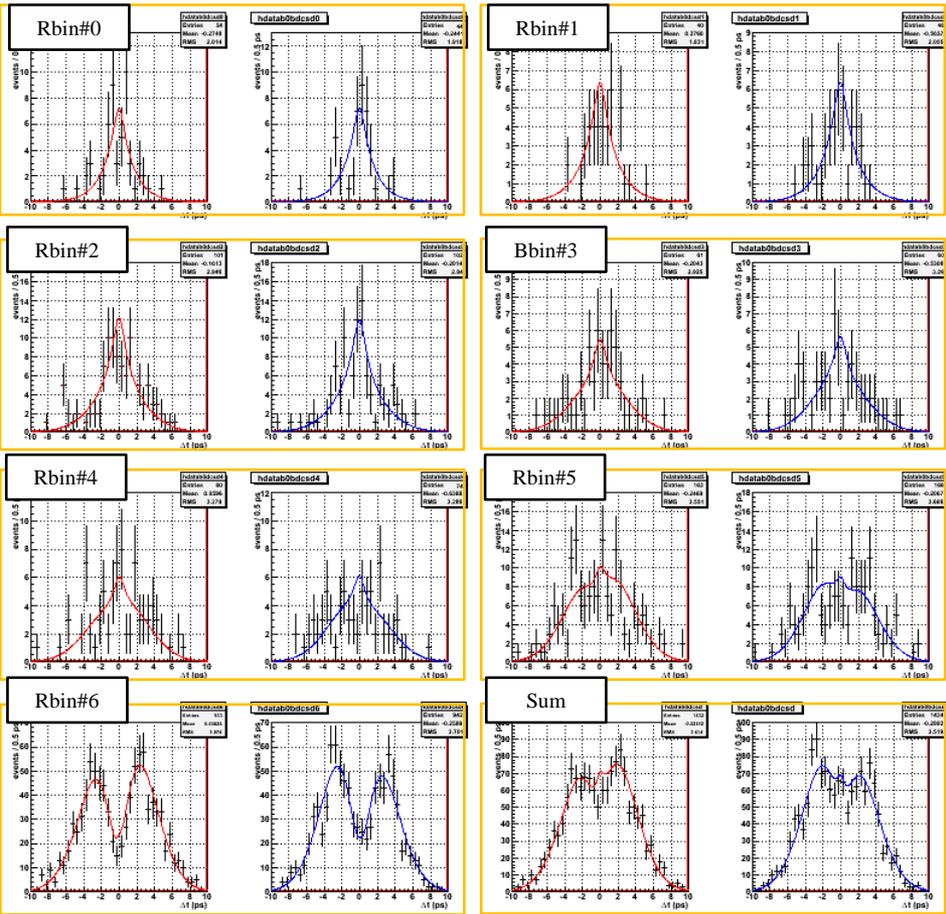
$$2\phi_1 + \phi_3 = 1.8, \delta = 0, R = 0.02$$

$B^0 \rightarrow D^{*-} \pi^+$

$\bar{B}^0 \rightarrow D^{*+} \pi^-$

$B^0 \rightarrow D^{*+} \pi^-$

$\bar{B}^0 \rightarrow D^{*-} \pi^+$



$S^\pm$  (input)  
-0.039

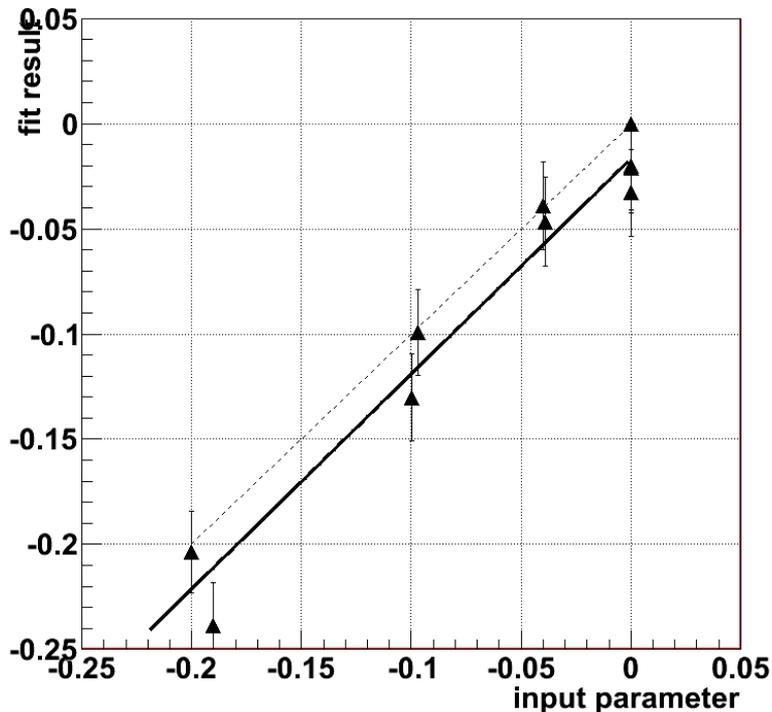
$S^+$  (diff)  
 $-0.047 \pm 0.0055$  (0.36  $\sigma$ )

$S^-$  (diff)  
 $-0.032 \pm 0.0055$  (0.35  $\sigma$ )

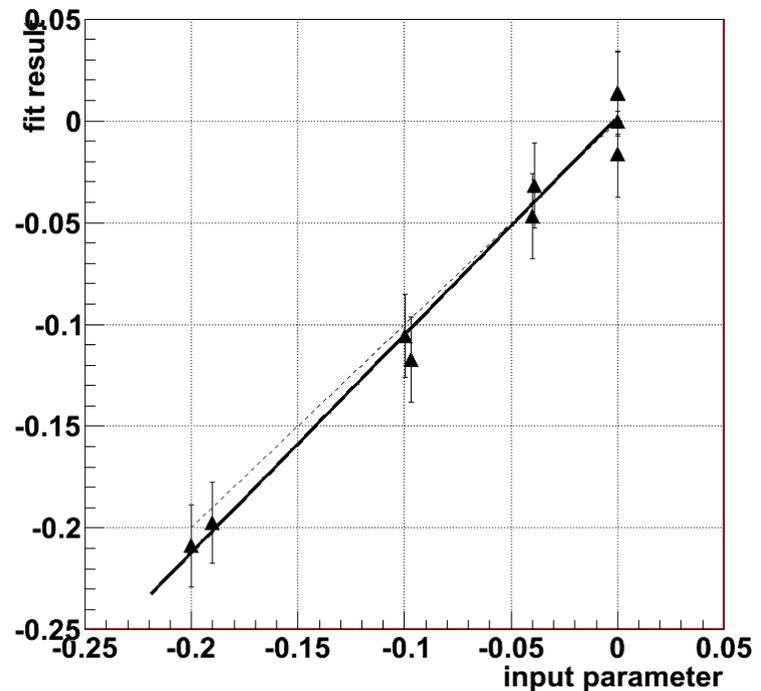
# 信号事象＋背景事象での $\Delta t$ fit

- 9通りのMCを作り、 $S^\pm$  のリニアリティを確認した
  - Fit function :  $y = P1x + P0$

$S^+$   $P0 = -0.017 \pm 0.0098$   
 $P1 = 1.02 \pm 0.091$



$S^-$   $P0 = 0.0020 \pm 0.0097$   
 $P1 = 1.07 \pm 0.091$



# まとめ

- 目的:  $\phi_3$  の測定
- Belle 全データ: 統計誤差 0.020(前回)  $\rightarrow$   $\sim$ 0.014
- $D^* \rightarrow D^0\pi$ ,  $D^0 \rightarrow K\pi$ 
  - Signal fraction を見積もった
  - Continuum BG,  $B^0$  BG,  $B^\pm$  BG の  $\Delta t$  PDF を求めた  $\leftarrow$  new
  - 9 通りのMC を作り、fit した  $S^\pm$  のリニアリティを確認した

## 計画

- 使用する下位崩壊について、背景事象を求める
- Tag-side interference の取り扱い
- 系統誤差の見積もり
- Data fit

### 系統誤差

Signal  $\Delta t$  resolution

continuum Background  $\Delta t$  shape

Neutral B Background  $\Delta t$  shape

Charged B Background  $\Delta t$  shape

Signal Background fraction

Wrong tag fraction

Vertexing

Physics parameters( $\tau$ ,  $\Delta m$ )

Fit bias



# Buck up

# 信号事象の $\Delta t$ fit

- $\tau, \Delta m$  を fit

$$P_{sig}(\Delta t, q_{tag}, q_{cp}) = \frac{1}{8\tau} e^{-|\Delta t|/\tau} \left\{ 1 - q_{tag} \Delta w_{rbin}^{official} - q_{tag} q_{cp} (1 - 2w_{rbin}^{official}) \cos(\Delta m \Delta t) \right\}$$

$$B_{tag} = \bar{B}^0, f_{CP} = D^{*-} \pi^+ \text{ と } B_{tag} = B^0, f_{CP} = D^{*+} \pi^-$$

$$B_{tag} = \bar{B}^0, f_{CP} = D^{*+} \pi^- \text{ と } B_{tag} = B^0, f_{CP} = D^{*-} \pi^+$$

を  $\delta = 0$  として統合  $\rightarrow$  sin 項を無視

$w, \Delta w$ : flavor tag の間違いを補正

$$w = \frac{w_{B^0} + w_{\bar{B}^0}}{2}, \Delta w = w_{B^0} - w_{\bar{B}^0}$$

Official wrong tag fraction を使用

R bin #	official wrong tag fraction	
Bin#0	w = 0.5	$\Delta w = 0.$
Bin#1	w = 0.412222	$\Delta w = 0.00408778$
Bin#2	w = 0.307838	$\Delta w = 0.010326$
Bin#3	w = 0.212765	$\Delta w = -0.00479522$
Bin#4	w = 0.149933	$\Delta w = 0.00151989$
Bin#5	w = 0.0913264	$\Delta w = 0.0143633$
Bin#6	w = 0.0218754	$\Delta w = 0.00189979$

# 背景事象の $\Delta t$ fit

- 背景事象のPDFを得るため、各々を fit
- Fit 範囲 :  $-0.15 \text{ GeV} < \Delta E < 0.15 \text{ GeV}$ ,  $5.2 \text{ GeV} < M_{bc} < 5.3 \text{ GeV}$

## 中性B中間子背景事象 PDF

$$P_{B^0BG}(\Delta t, q_{tag}, q_{cp}) = \frac{1}{8\tau_{B^0BG}} e^{-|\Delta t|/\tau_{B^0BG}} \left\{ 1 - q_{tag} q_{cp} (1 - 2w_{rbin}) \cos(\Delta m \Delta t) \right\}$$

## 荷電B中間子背景事象 PDF

$$P_{chg}(\Delta t, q_{tag}, q_{cp}) = \frac{1}{8\tau_{chgB}} e^{-|\Delta t|/\tau_{chgB}} \left\{ 1 - q_{tag} q_{cp} (1 - 2w_{rbin}) \right\}$$

## B中間子以外からの背景事象 PDF

$$P_{con}(\Delta t) = \int P_{con}(\Delta t') \cdot R_{bkg}(\Delta t - \Delta t') \cdot d\Delta t'$$

$$P_{con}(\Delta t) = f_{\delta} \cdot \delta(\Delta t - \mu_{\delta}) + (1 - f_{\delta}) \cdot \exp\left(-\frac{|\Delta t - \mu_{\tau}|}{\tau_{con}}\right)$$

$$R_{con}(\Delta t) = (1 - f_{con}^{tail}) \cdot G(\Delta t; s_{con}^{main} \cdot \sigma_{vtx}) + f_{con}^{tail} \cdot G(\Delta t; s_{con}^{tail} \cdot \sigma_{vtx})$$

# $\Delta E$ PDF

- Signal fraction を計算するため、

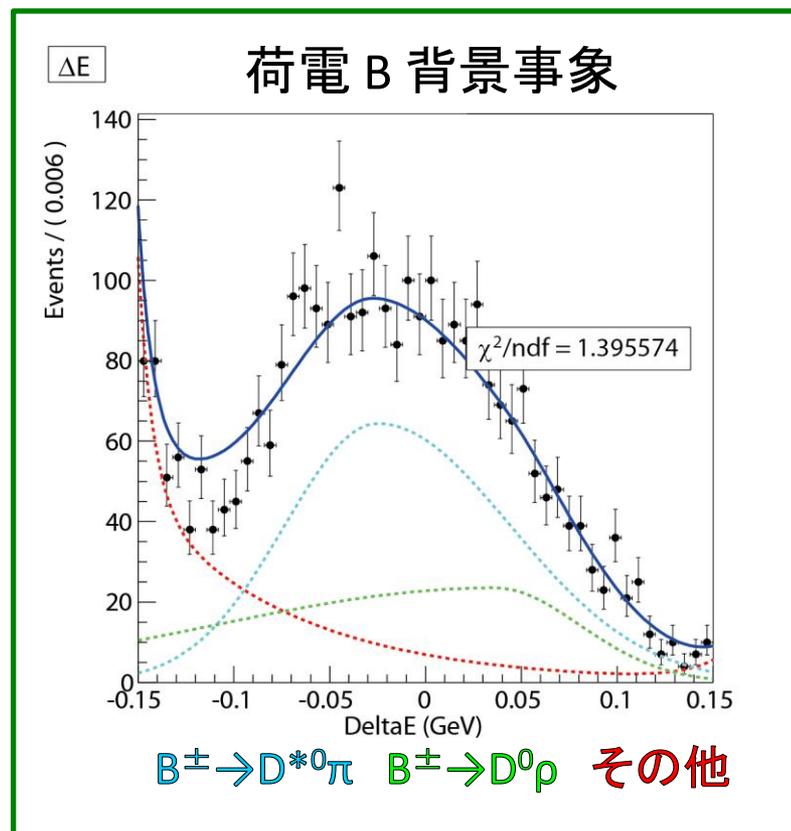
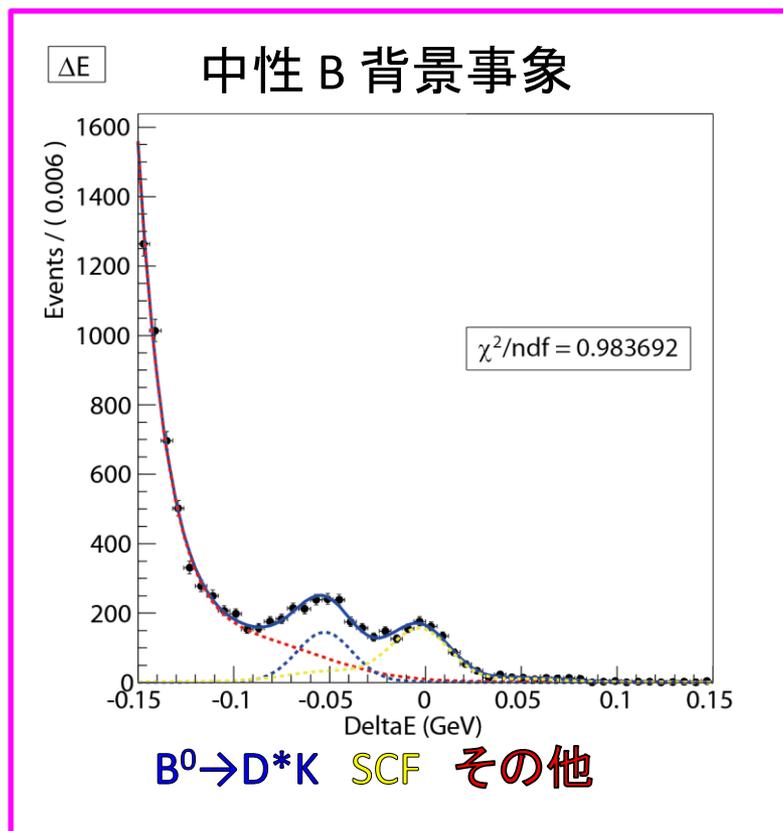
$\Delta E$  PDF を見積もった

実験データの 5 倍の統計量を使用

範囲 :  $5.27 \text{ GeV} < M_{bc} < 5.29 \text{ GeV}$

$-0.15 \text{ GeV} < \Delta E < 0.15 \text{ GeV}$

- 得られた 中性/荷電 B 背景事象の  $\Delta E$  PDF



# Signal fraction

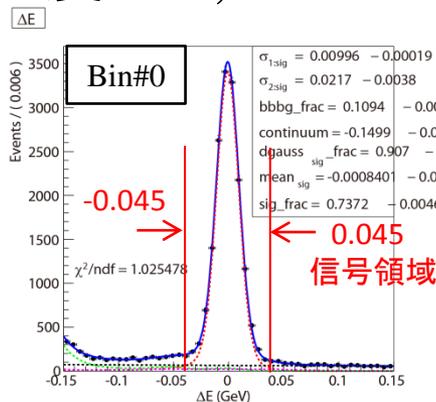
- $\Delta E$  を使用して、含まれる信号事象の比を求めた。
  - flavor tag の信頼度ごと, Generic MC

Bin#0 → Bin#6  
信頼度高

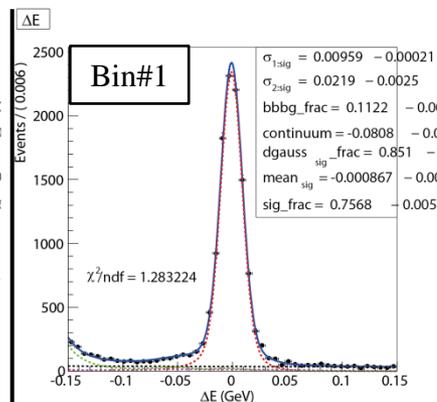
変数

信号事象: ダブルガウシアン  
B以外の背景事象: 直線  
信号事象比

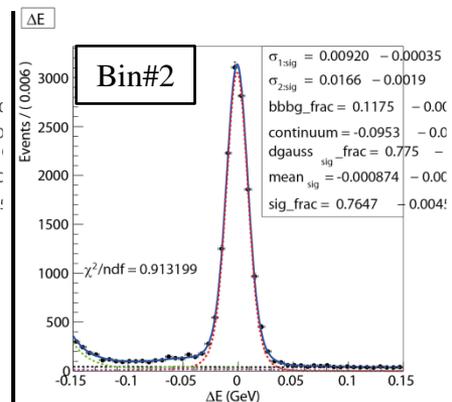
B 背景事象: 固定



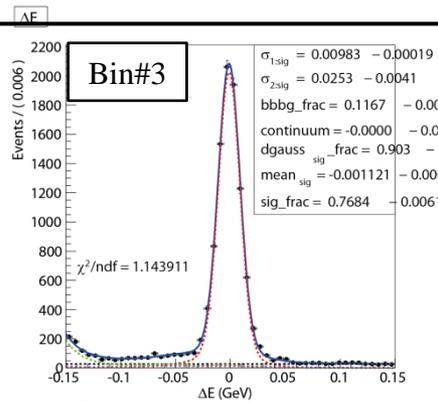
信号事象 ~ 89%  
B<sup>0</sup> BG ~ 2%, B<sup>±</sup> BG ~ 4%  
B 以外 ~ 5%



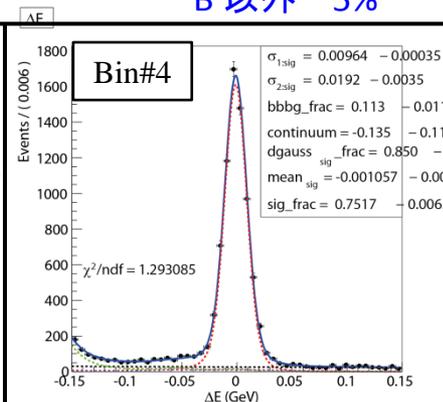
信号事象 ~ 89%  
B<sup>0</sup> BG ~ 2%, B<sup>±</sup> BG ~ 4%  
B 以外 ~ 5%



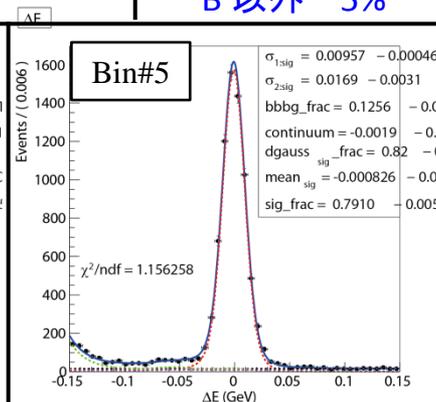
信号事象 ~ 90%  
B<sup>0</sup> BG ~ 3%, B<sup>±</sup> BG ~ 4%  
B 以外 ~ 3%



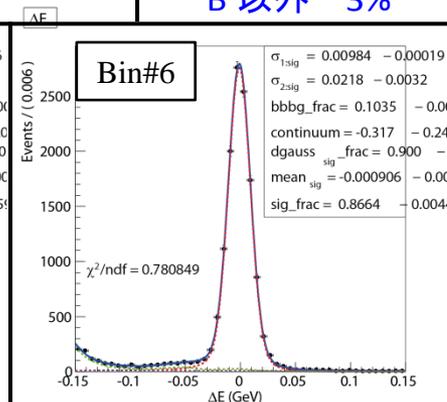
信号事象 ~ 90%  
B<sup>0</sup> BG ~ 2%, B<sup>±</sup> BG ~ 3%  
B 以外 ~ 5%



信号事象 ~ 89%  
B<sup>0</sup> BG ~ 2%, B<sup>±</sup> BG ~ 4%  
B 以外 ~ 5%



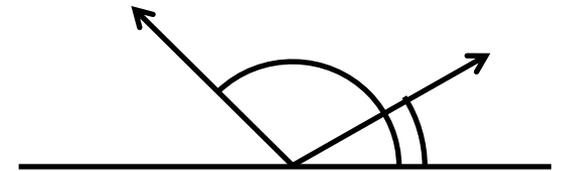
信号事象 ~ 91%  
B<sup>0</sup> BG ~ 3%, B<sup>±</sup> BG ~ 3%  
B 以外 ~ 3%



信号事象 ~ 95%  
B<sup>0</sup> BG ~ 3%, B<sup>±</sup> BG ~ 2%  
B 以外 ~ 0%

# Partial recon Signal event selection

- 正確なvertex の決定のための Fast pion への要求
  - Impact parameter
    - radial :  $dr < 0.1 \text{ cm}$
    - longitudinal :  $|dz| < 2.0 \text{ cm}$
  - SVDにヒットをもつ
    - Polar angle in the laboratory frame :  $30^\circ < \theta_{lab} < 135^\circ$
- The vertex positions are obtained by fits of the candidate tracks with the IP.
- Lepton, kaon hypothesis と一致しない
  - Based on information from the CDC, TOF and ACC.
- Fast pion cms momentum :  $1.83 \text{ GeV}/c < p_{\pi_f} < 2.43 \text{ GeV}/c$



# Partial recon Signal event selection

- Slow pion cms momentum :  $0.05 \text{ GeV}/c < p_{\pi_s} < 0.30 \text{ GeV}/c$
- Particle identification のとき、slow pion には何の条件も課さない
- Vertexing に使用しない
- IP から生じることのみ要求する
  
- fast pion とslow pion は逆の電荷をもつ

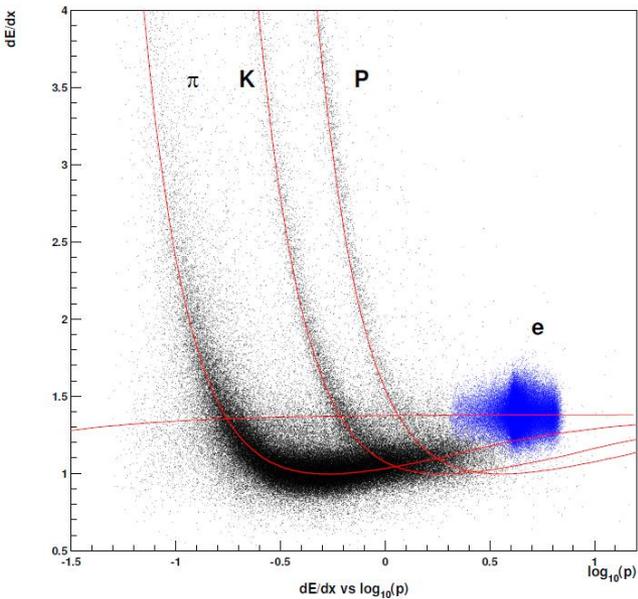
# D\* $\pi$ 数

- $771.581 \times 10^6 \times 2.76 \times 10^{-3} = 2.13 \times 10^6$   
–  $K\pi : \times 67.7 \times 10^{-2} \times 3.89 \times 10^{-2} = 56000$
- 使用する下位崩壊
  - D\*  $\rightarrow$  D<sup>0</sup> $\pi$  (67.7%)
    - D<sup>0</sup>  $\rightarrow$  K $\pi$  (3.89%), K $\pi\pi^0$  (13.9%), K $\pi\pi\pi$  (8.09%), K<sub>s</sub> $\pi\pi$  (2.94%)
  - D\*  $\rightarrow$  D $\pi^0$  (30.7%)
    - D  $\rightarrow$  K $\pi\pi$  (9.4%)

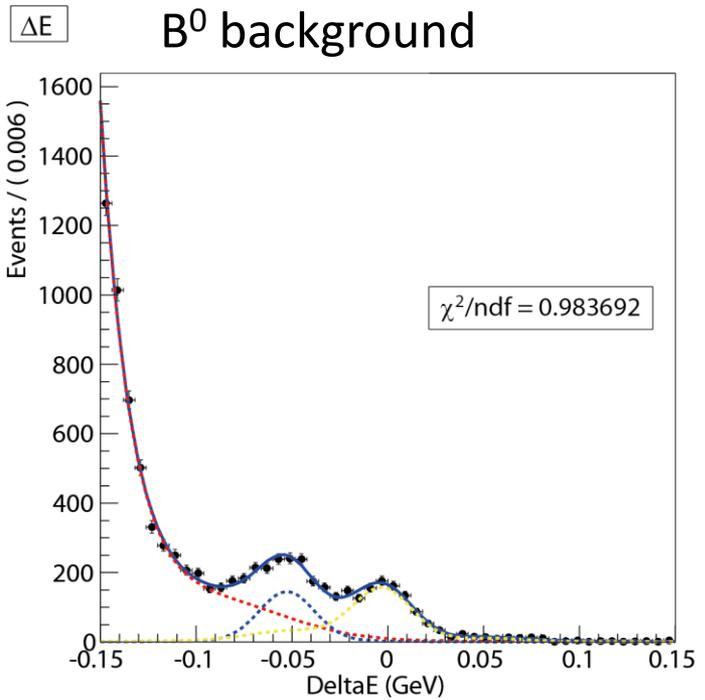
# 再構成

- $D^* \rightarrow D^0 \pi, D^0 \rightarrow K \pi$  信号選択

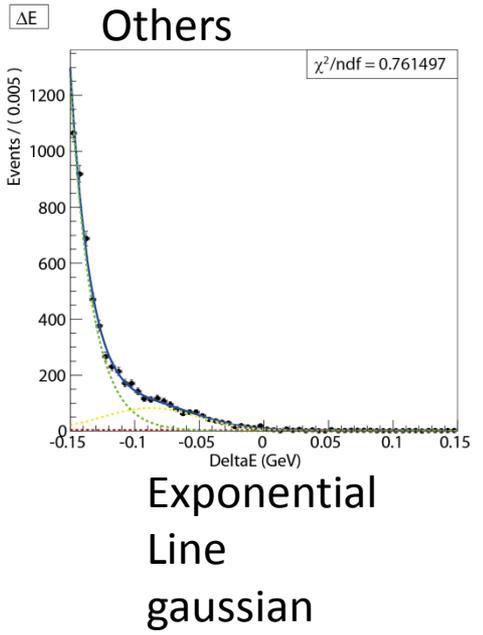
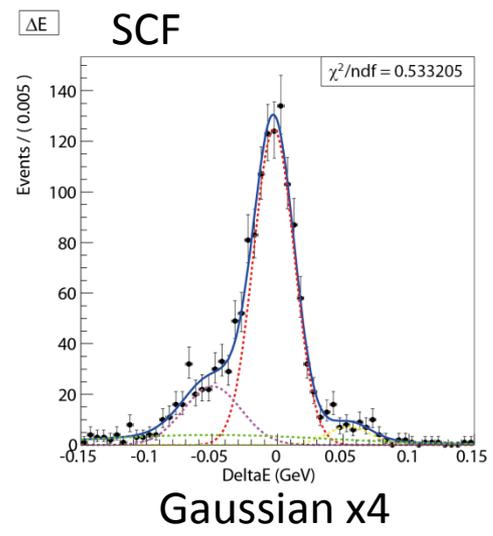
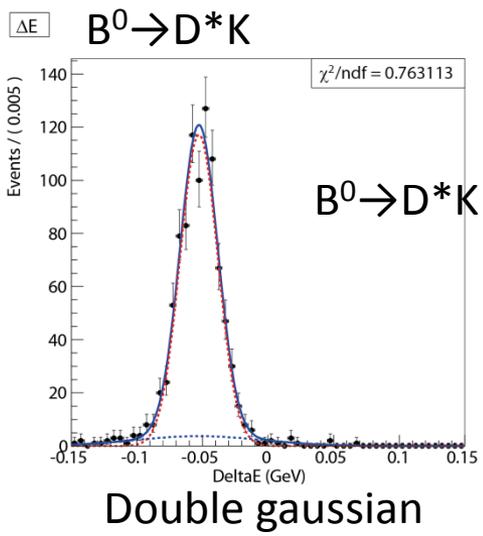
Slow $\pi$ 以外の $\pi$ SVD hit in $r-\phi \geq 1, z \geq 2$ Pid(K/ $\pi$ ) $\leq 0.7$	$D^0$ $1.82 \text{ GeV} <  M_{K\pi}  < 1.92 \text{ GeV}$
K SVD hit : $\pi$ と同じ Pid(K/ $\pi$ ) $\geq 0.3$	$D^*$ $0.143 \text{ GeV} < M_{D^*} - M_{D^0} < 0.148 \text{ GeV}$
	B $5.2 \text{ GeV} < M_{bc} < 5.3 \text{ GeV}$ $-0.15 \text{ GeV} < \Delta E < 0.15 \text{ GeV}$ 最良候補選択 ( $M_{bc}, M_{D^*} - M_{D^0}$ )
Slow $\pi$ 要求なし	



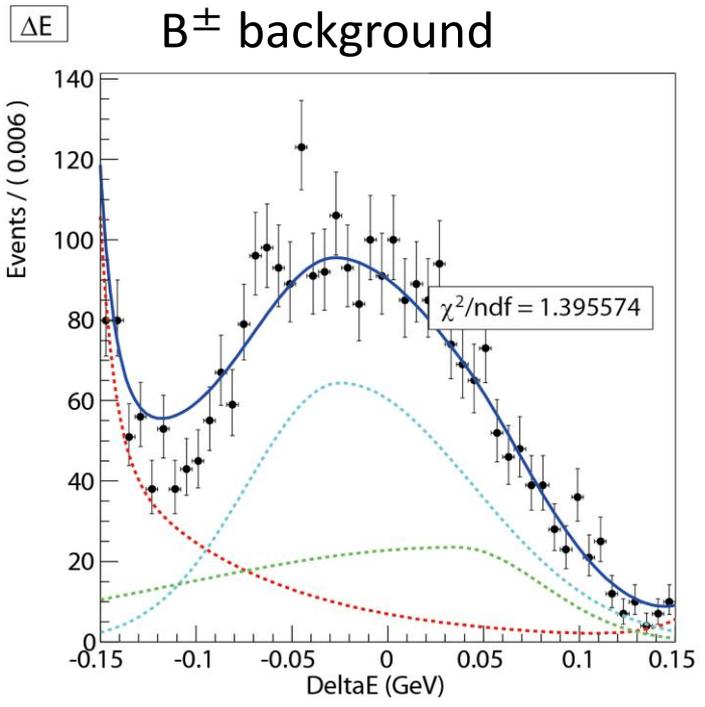
# Neutral B BG $\Delta E$ PDF



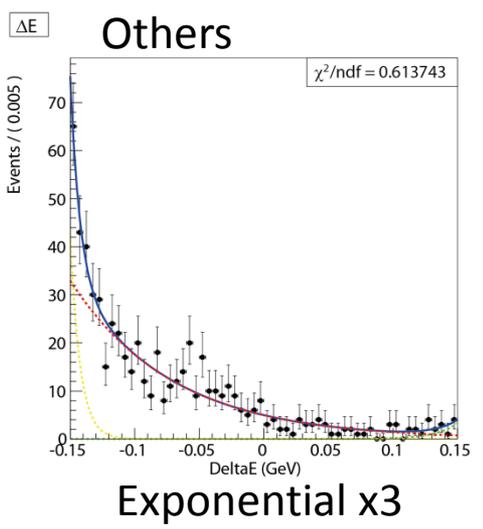
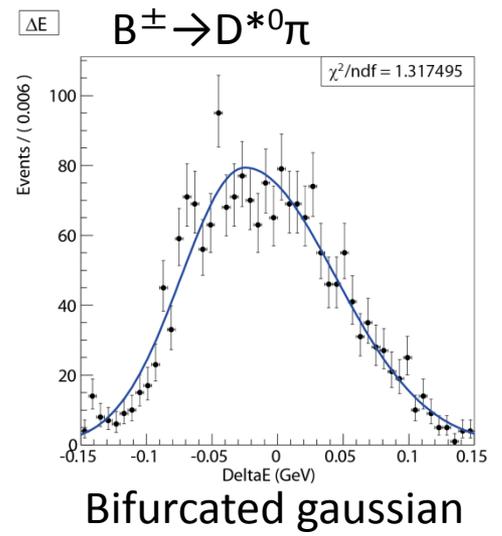
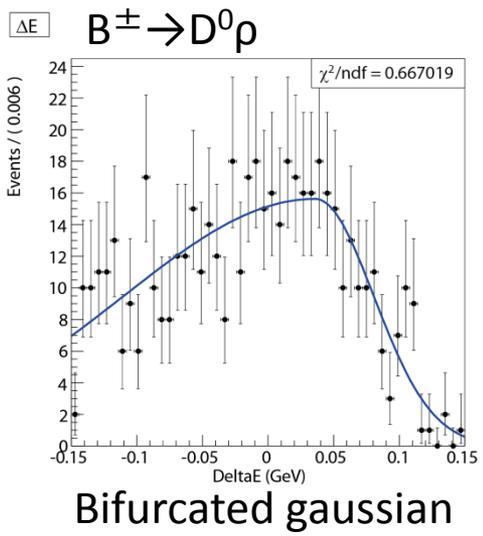
$B^0 \rightarrow D^*K$   
SCF  
Others



# Charged B BG $\Delta E$ PDF



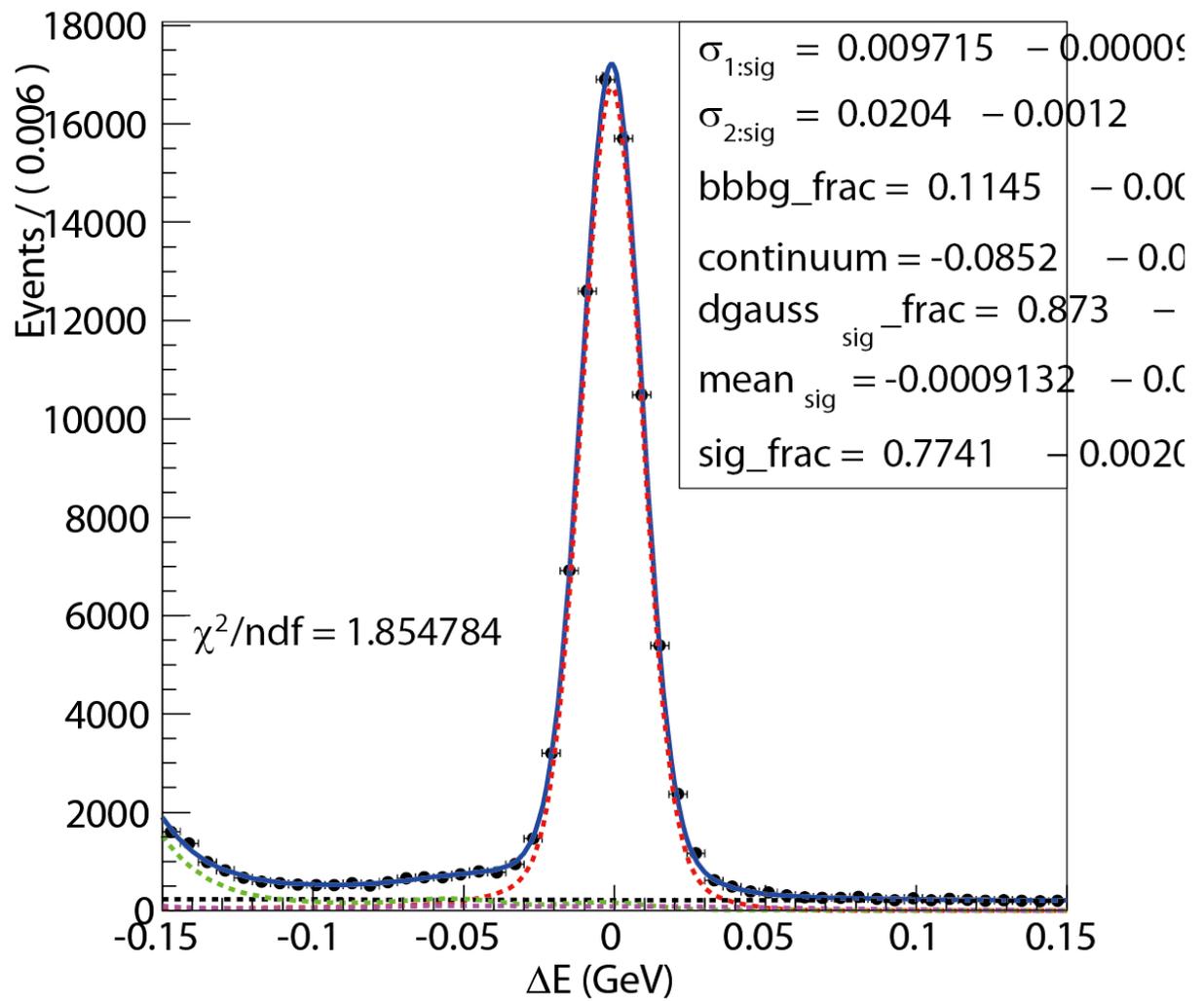
$B^\pm \rightarrow D^0 \pi$   
 $B^\pm \rightarrow D^0 \rho$   
 Others



# B reconstruction

- Generic MC were reconstructed.
  - Case B
  - 5 streams

$\Delta E$



# r bin

- r bin : bin definition of the flavor tagging category

R bin #		wrong tag fraction for SVD2 MC	
Bin#0	$0 \leq  r  \leq 0.1$	$w = 0.5$	$\Delta w = 0.$
Bin#1	$0.1 <  r  \leq 0.25$	$w = 0.412222$	$\Delta w = 0.0569661$
Bin#2	$0.25 <  r  \leq 0.5$	$w = 0.307838$	$\Delta w = 0.0126192$
Bin#3	$0.5 <  r  \leq 0.625$	$w = 0.212765$	$\Delta w = 0.0147724$
Bin#4	$0.625 <  r  \leq 0.75$	$w = 0.149933$	$\Delta w = 0.000550289$
Bin#5	$0.75 <  r  \leq 0.875$	$w = 0.0913264$	$\Delta w = 0.00887704$
Bin#6	$0.875 <  r  \leq 1.0$	$w = 0.0218754$	$\Delta w = 0.00465683$

# 信号事象の $\Delta t$ fit

## Fit 結果

$$B_{tag} = \bar{B}^0, f_{CP} = D^{*+} \pi^-$$

$$B_{tag} = B^0, f_{CP} = D^{*-} \pi^+$$

$$B_{tag} = \bar{B}^0, f_{CP} = D^{*-} \pi^+$$

$$B_{tag} = B^0, f_{CP} = D^{*+} \pi^-$$

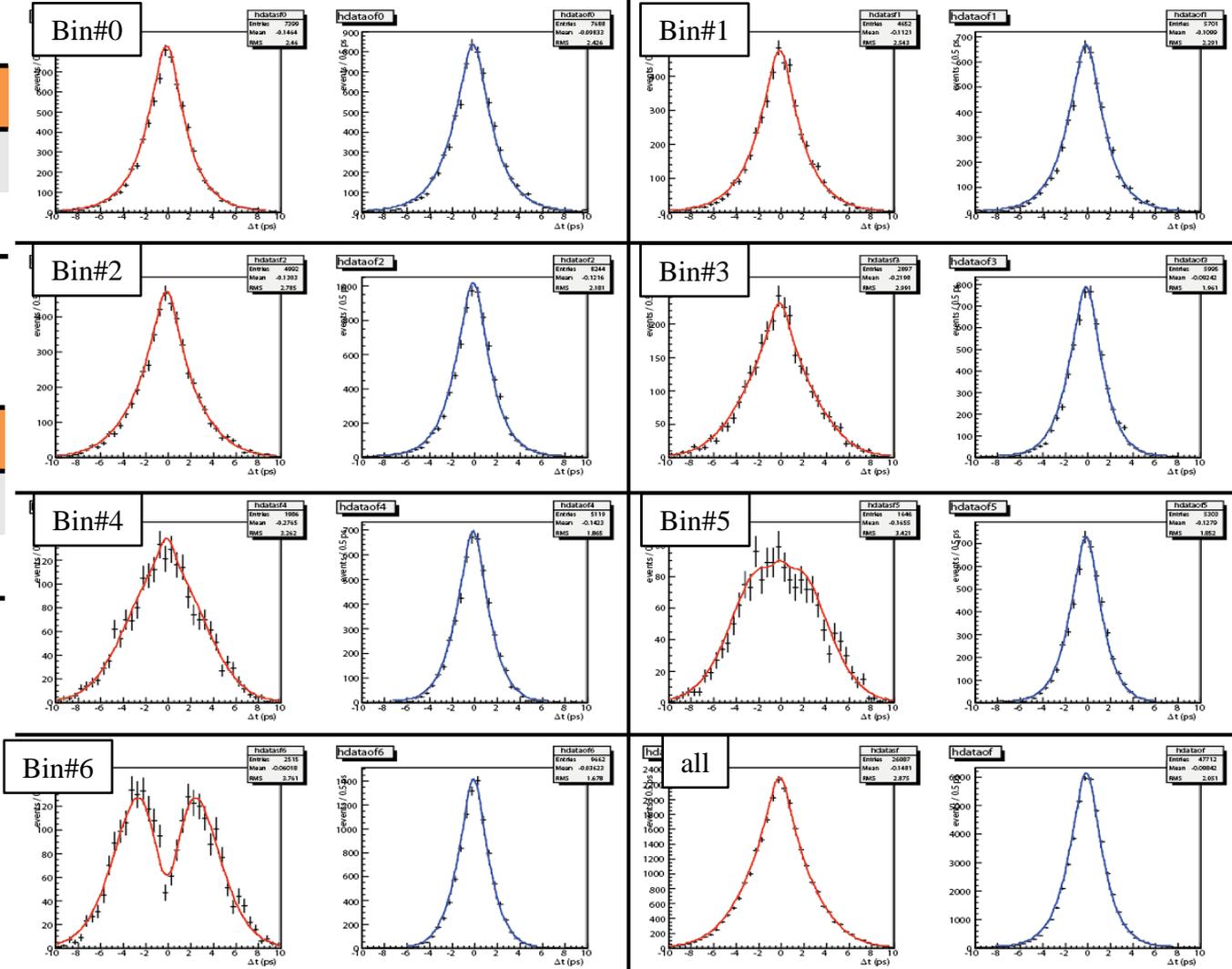
## MC 入力値

Name	Value
$\tau_{B0}$	1.534
$\Delta m$	0.507

## Fit 結果

Name	Value
$\tau_{B0}$	$1.533 \pm 0.006$ (ps)
$\Delta m$	$0.505 \pm 0.004$

Fit 結果は入力値と consistent



# Signal + $B^0\bar{B}^0$ Background

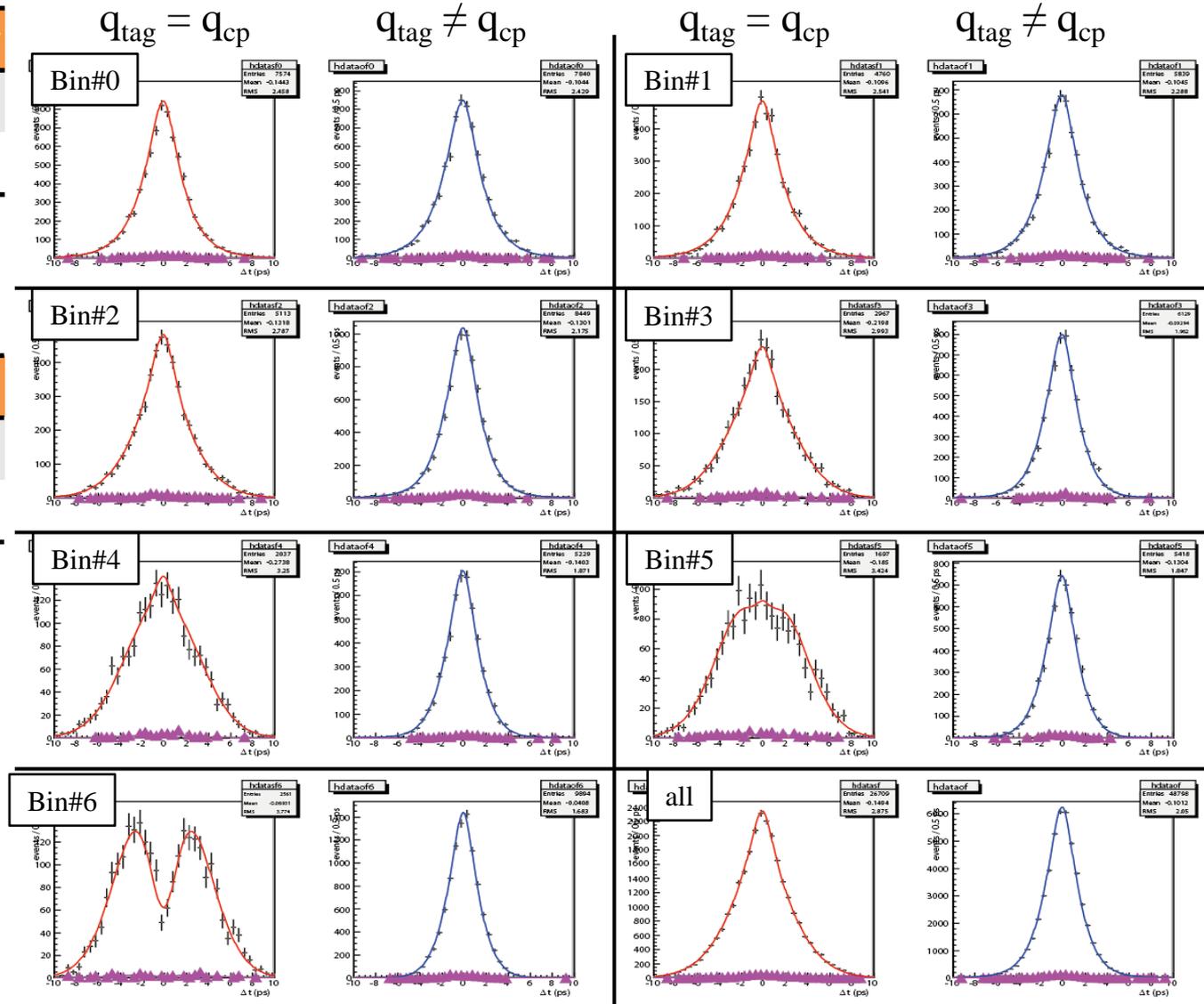
- To check the correctness of BG PDF, Signal +  $B^0\bar{B}^0$  BG was fitted.

Name	Value	Signal Only
$\tau_{B^0}$	$1.533 \pm 0.006$ (ps)	
$\Delta m$	$0.505 \pm 0.004$	

↓  
+  $B^0\bar{B}^0$  BG

Name	Value
$\tau_{B^0}$	$1.535 \pm 0.006$ (ps)
$\Delta m$	$0.505 \pm 0.004$

- Fit results for signal and signal +  $B^0\bar{B}^0$  BG are consistent.
- $B^0\bar{B}^0$  BG PDF were obtained.



# Signal + B<sup>+</sup>B<sup>-</sup> Background

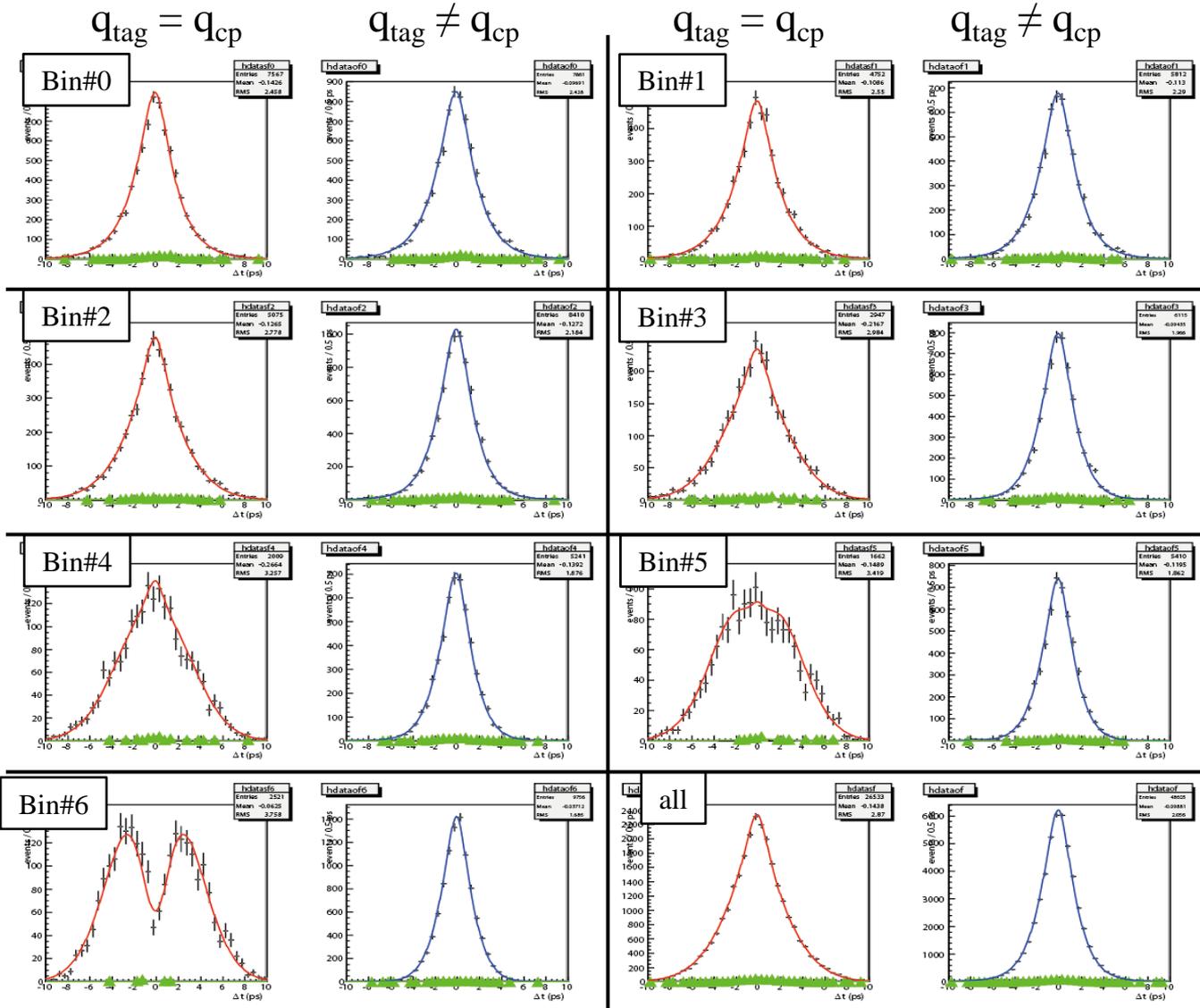
- To check the correctness of BG PDF, Signal + B<sup>+</sup>B<sup>-</sup> BG was fitted.

Name	Value	Signal Only
$\tau_{B0}$	$1.533 \pm 0.006$ (ps)	
$\Delta m$	$0.505 \pm 0.004$	

↓  
+ B<sup>+</sup>B<sup>-</sup> BG

Name	Value
$\tau_{B0}$	$1.535 \pm 0.006$ (ps)
$\Delta m$	$0.506 \pm 0.004$

- Fit results for signal and signal + B<sup>+</sup>B<sup>-</sup> BG are consistent.
- B<sup>+</sup>B<sup>-</sup> BG PDF were obtained.



# Signal + continuum Background

- To check the correctness of BG PDF, Signal + continuum BG was fitted.

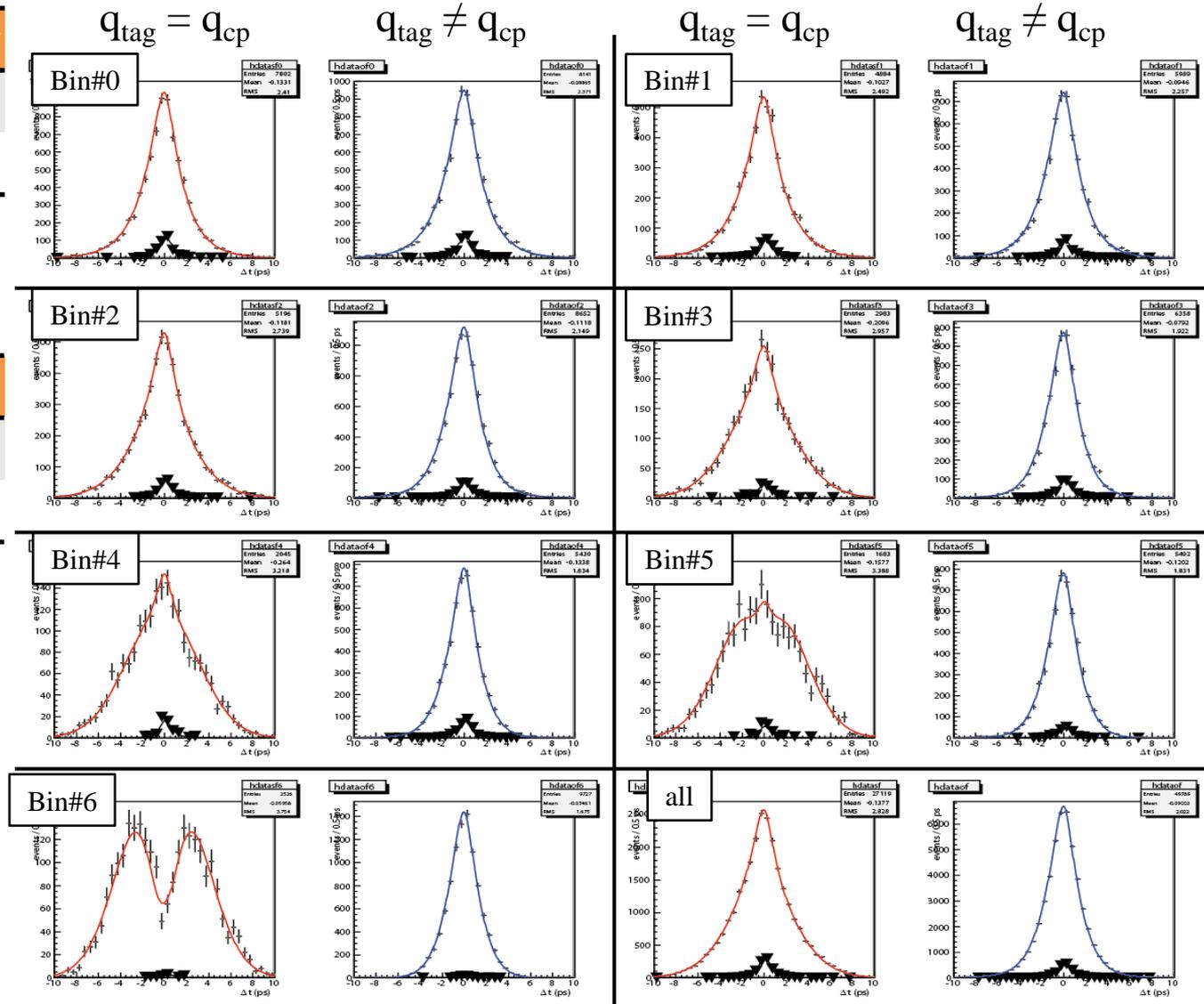
Name	Value	Signal Only
$\tau_{B0}$	$1.533 \pm 0.006$ (ps)	
$\Delta m$	$0.505 \pm 0.004$	

↓

+ continuum BG

Name	Value
$\tau_{B0}$	$1.534 \pm 0.006$ (ps)
$\Delta m$	$0.505 \pm 0.004$

- Fit results for signal and signal + continuum BG are consistent.
- **continuum BG PDF were obtained.**



# 信号事象 + 背景事象

- signal fraction に従って背景事象を加え、信号事象の  $\tau$ ,  $\Delta m$  を fit

Name	Value	信号事象のみ
$\tau_{B0}$	$1.533 \pm 0.006$ (ps)	
$\Delta m$	$0.505 \pm 0.004$	

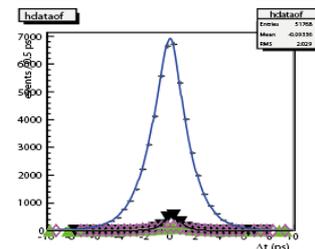
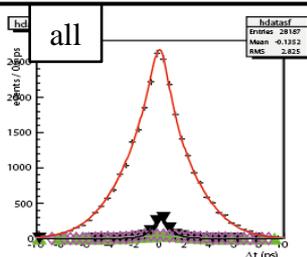
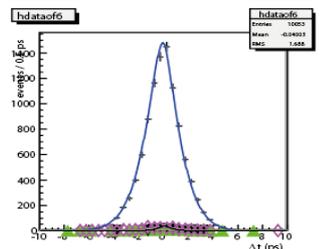
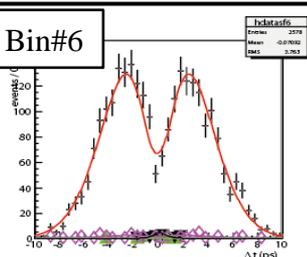
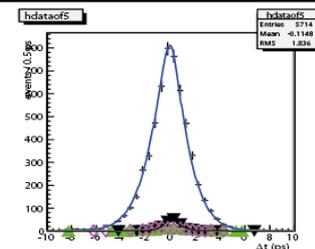
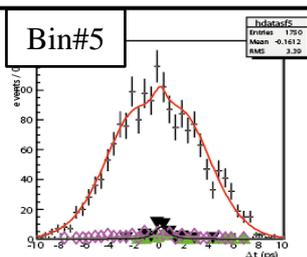
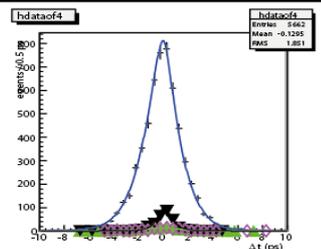
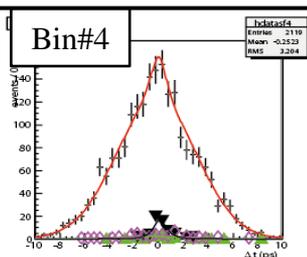
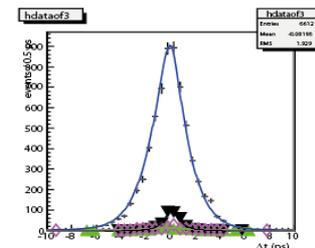
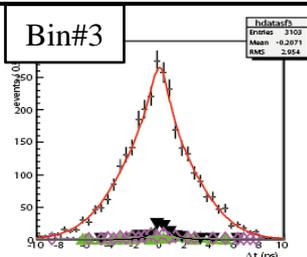
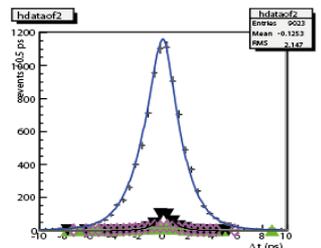
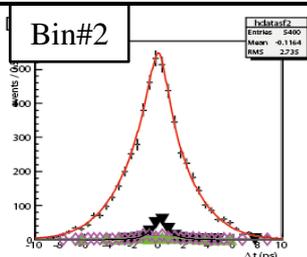
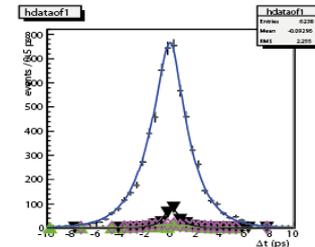
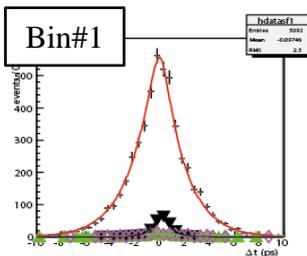
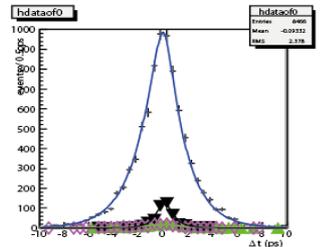
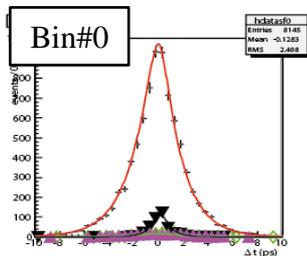


+ 背景事象

Name	Value
$\tau_{B0}$	$1.534 \pm 0.006$ (ps)
$\Delta m$	$0.506 \pm 0.004$

Fit 結果は信号事象のみ  
と consistent.

背景事象 PDF  
が得られた



# 中性B中間子背景事象の $\Delta t$ fit

$$P_{B^0BG}(\Delta t, q_{tag}, q_{CP}) = \underbrace{\frac{1}{8\tau_{B^0BG}}}_{\text{寿命項}} e^{-|\Delta t|/\tau_{B^0BG}} \underbrace{\left\{1 - q_{tag} q_{CP} (1 - 2w_{rbin})\right\}}_{\text{Flavor tag 補正}} \underbrace{\cos(\Delta m \Delta t)}_{B^0B^0\text{bar mixing 項}}$$

寿命項

Flavor tag 補正

 $B^0B^0\text{bar}$  mixing 項

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*+} \pi^- \\ B_{tag} &= B^0, f_{CP} = D^{*-} \pi^+ \end{aligned}$$

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*-} \pi^+ \\ B_{tag} &= B^0, f_{CP} = D^{*+} \pi^- \end{aligned}$$

## Fit 結果

Name	Value
$\tau_{B^0BG}$	$1.525 \pm 0.019$ (ps)

$$\Delta m = 0.516 \pm 0.013$$

$$w_0 = 0.50 \text{ (fixed)}$$

$$w_1 = 0.45 \pm 0.02$$

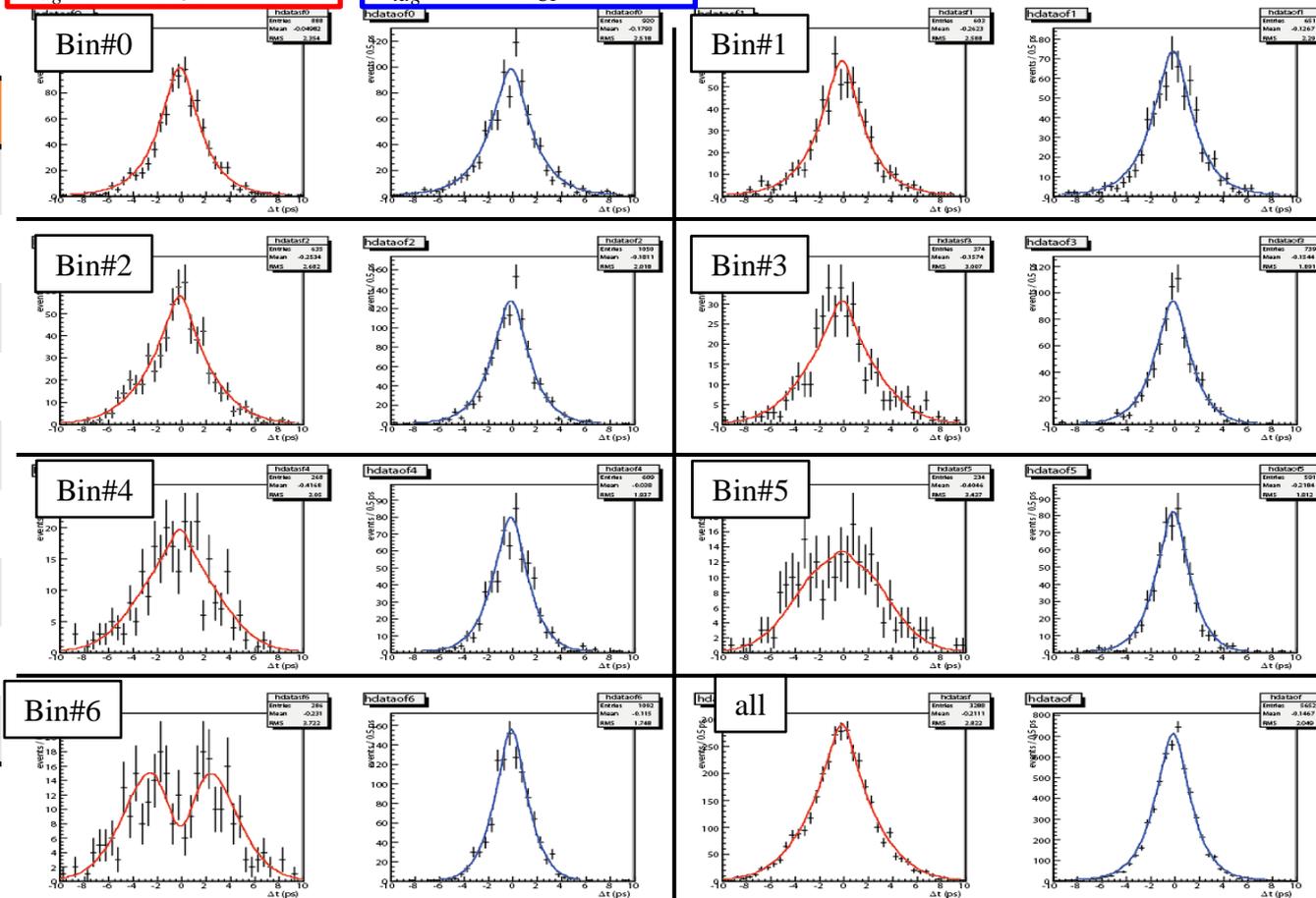
$$w_2 = 0.29 \pm 0.02$$

$$w_3 = 0.23 \pm 0.02$$

$$w_4 = 0.18 \pm 0.02$$

$$w_5 = 0.12 \pm 0.02$$

$$w_6 = 0.03 \pm 0.01$$



# 荷電B中間子背景事象の $\Delta t$ fit

$$P_{chg}(\Delta t, q_{tag}, q_{cp}) = \frac{1}{8\tau_{chgB}} e^{-|\Delta t|/\tau_{chgB}} \left\{ 1 - q_{tag} q_{cp} (1 - 2w_{rbin}) \right\}$$

## Fit 結果

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*+} \pi^- \\ B_{tag} &= B^0, f_{CP} = D^{*-} \pi^+ \end{aligned}$$

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*-} \pi^+ \\ B_{tag} &= B^0, f_{CP} = D^{*+} \pi^- \end{aligned}$$

Name	Value
------	-------

$\tau_{chgB}$	$1.599 \pm 0.029$ (ps)
---------------	------------------------

$w_0$	0.50 (fixed)
-------	--------------

$w_1$	$0.44 \pm 0.02$
-------	-----------------

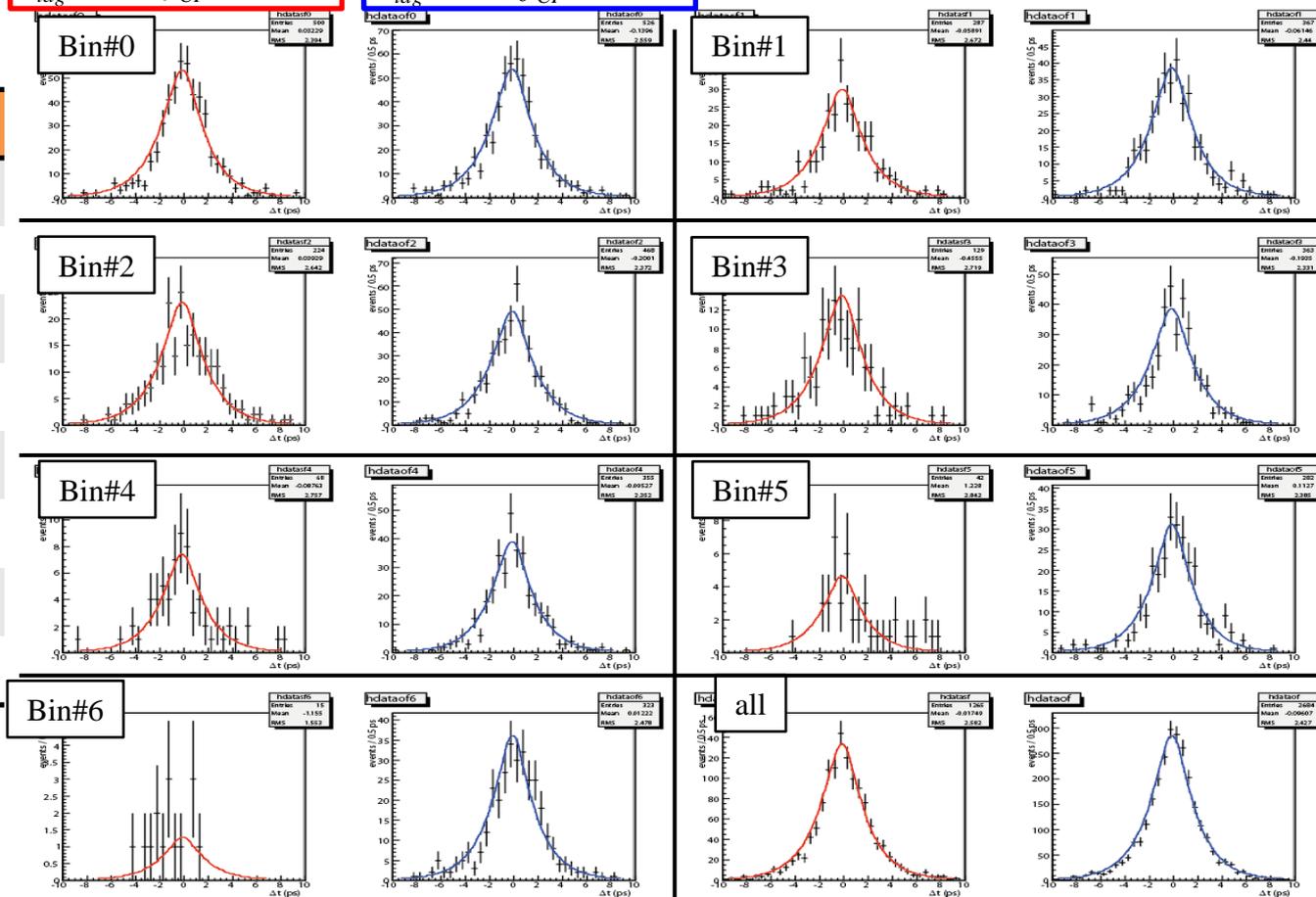
$w_2$	$0.32 \pm 0.02$
-------	-----------------

$w_3$	$0.26 \pm 0.02$
-------	-----------------

$w_4$	$0.16 \pm 0.02$
-------	-----------------

$w_5$	$0.13 \pm 0.02$
-------	-----------------

$w_6$	$0.04 \pm 0.01$
-------	-----------------



# B以外の背景事象の $\Delta t$ fit

$$P_{con}(\Delta t) = \int P_{con}(\Delta t') \cdot R_{bkg}(\Delta t - \Delta t') \cdot d\Delta t'$$

$$P_{con}(\Delta t) = f_{\delta} \cdot \delta(\Delta t - \mu_{\delta}) + (1 - f_{\delta}) \cdot \exp\left(-\frac{|\Delta t - \mu_{\tau}|}{\tau_{con}}\right)$$

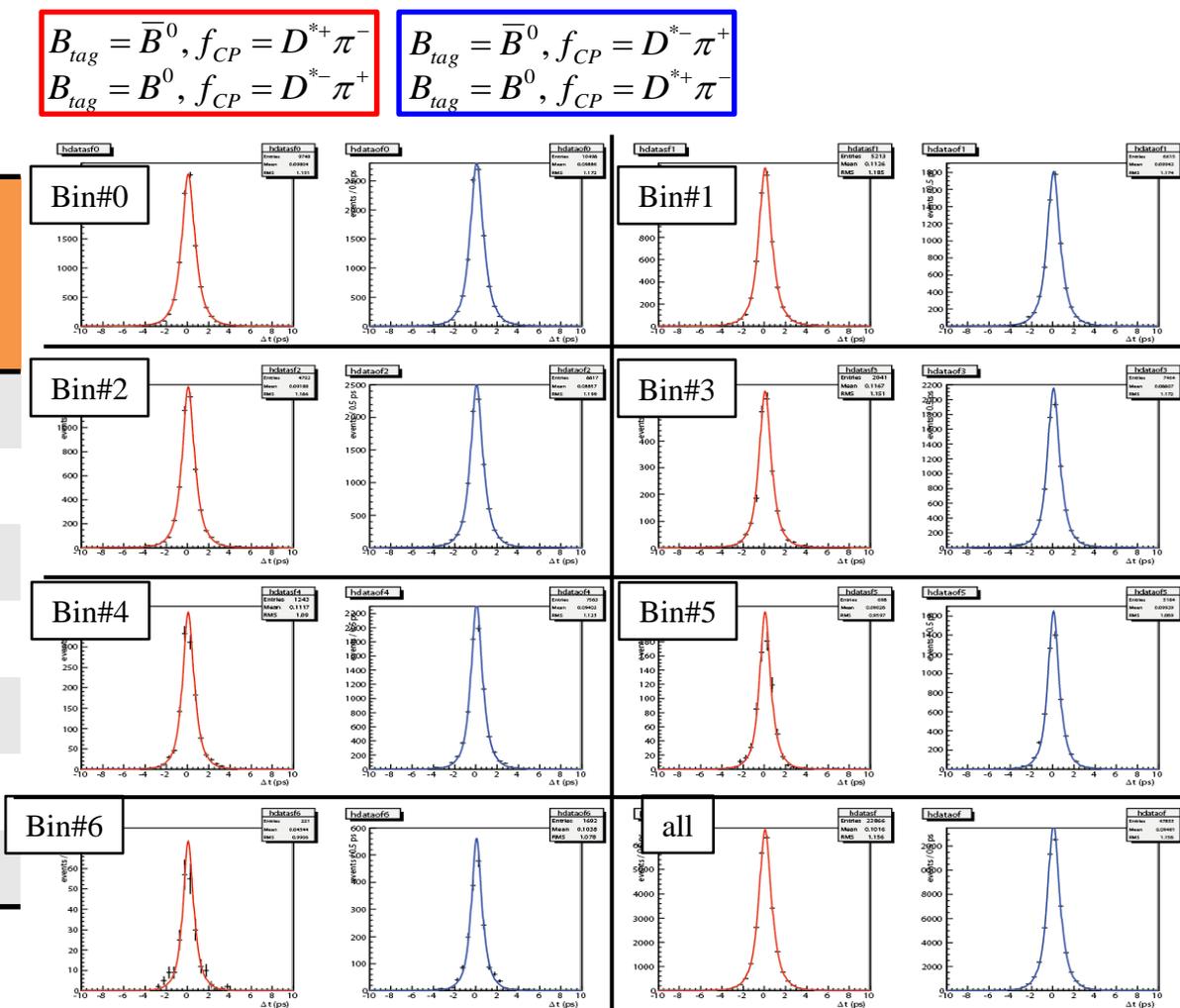
$$R_{con}(\Delta t) = (1 - f_{con}^{tail}) \cdot G(\Delta t; s_{con}^{main} \cdot \sigma_{vtx}) + f_{con}^{tail} \cdot G(\Delta t; s_{con}^{tail} \cdot \sigma_{vtx})$$

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*+} \pi^{-} \\ B_{tag} &= B^0, f_{CP} = D^{*-} \pi^{+} \end{aligned}$$

$$\begin{aligned} B_{tag} &= \bar{B}^0, f_{CP} = D^{*-} \pi^{+} \\ B_{tag} &= B^0, f_{CP} = D^{*+} \pi^{-} \end{aligned}$$

## Fit 結果

	Single-track vertex Either CP or tag B	Multi-track vertex Both CP and tag B
$f_d$	$0.26 \pm 0.04$	$0.39 \pm 0.02$
$m_d$	$0.046 \pm 0.007$	
$m_{\tau}$	$0.14 \pm 0.01$	
$\tau_{con}$	$0.58 \pm 0.02$	
$s_{bkg}^{main}$	$1.07 \pm 0.03$	$1.34 \pm 0.02$
$s_{bkg}^{tail}$	$5.40 \pm 0.42$	$4.87 \pm 0.26$
$f_{bkg}^{tail}$	$0.088 \pm 0.010$	$0.047 \pm 0.007$



# 信号事象 + 背景事象での $\Delta t$ fit

$$P(B^0 \rightarrow D^{*\mp} \pi^\pm) = \frac{e^{-|\Delta t|/\tau_{B^0}}}{8\tau_{B^0}} [1 \pm C \cos(\Delta m \Delta t) - S^\mp \sin(\Delta m \Delta t)]$$

$$P(\bar{B}^0 \rightarrow D^{*\pm} \pi^\mp) = \frac{e^{-|\Delta t|/\tau_{B^0}}}{8\tau_{B^0}} [1 \pm C \cos(\Delta m \Delta t) + S^\pm \sin(\Delta m \Delta t)]$$

• fit results

$\phi_1 + \phi_3 / 2$	ratio	$S^\pm$ (input)	$S^+$ (diff)	$S^-$ (diff)
0.89685	0.02	-0.039	-0.047 ± 0.021 (0.36 $\sigma$ )	-0.032 ± 0.021 (0.35 $\sigma$ )
	0.05	-0.097	-0.099 ± 0.021 (0.11 $\sigma$ )	-0.12 ± 0.021 (0.98 $\sigma$ )
	0.1	-0.19	-0.24 ± 0.020 (2.4 $\sigma$ )	-0.20 ± 0.020 (0.38 $\sigma$ )
$\pi/2$	0.02	0.0	-0.021 ± 0.021 (0.98 $\sigma$ )	0.013 ± 0.021 (0.65 $\sigma$ )
	0.05	0.0	-0.033 ± 0.021 (1.60 $\sigma$ )	0.014 ± 0.020 (0.69 $\sigma$ )
	0.1	0.0	-0.020 ± 0.021 (0.96 $\sigma$ )	-0.016 ± 0.021 (0.78 $\sigma$ )
$\pi/4$	0.02	-0.040	-0.039 ± 0.021 (0.049 $\sigma$ )	-0.047 ± 0.021 (0.32 $\sigma$ )
	0.05	-0.10	-0.13 ± 0.021 (1.49 $\sigma$ )	-0.11 ± 0.020 (0.28 $\sigma$ )
	0.1	-0.20	-0.20 ± 0.019 (0.20 $\sigma$ )	-0.21 ± 0.020 (0.43 $\sigma$ )