

Study of $\tilde{\tau}$ in Gauge-Mediated SUSY Breaking Models

- Heavy Long-lived Charged Particles -

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Gauge-mediated SUSY-breaking models

LSP = gravitino (\tilde{G})

NLSP = stau ($\tilde{\tau}^\pm$) or neutralino

If $\tilde{\tau}$ is the NLSP

→ Long-lived heavy charged particle
for a large area of parameter space.

$$c\tau = 10\text{km} \times \left[\frac{\sqrt{F}}{10^7\text{GeV}} \right]^4 \left[\frac{100\text{GeV}}{m_{\tilde{\tau}}} \right]^5$$

\sqrt{F} : dynamical SUSY breaking scale

If $\sqrt{F} \gtrsim 10^7$ GeV, then
 $\tilde{\tau}$ mostly do not decay in the detector.

ISAJET simulation

(Includes initial-state radiation (ISR)
& beamstrahlung)

- $\sqrt{S} = 500 \text{ GeV}$, $\int L dt = 50 \text{ fb}^{-1}$

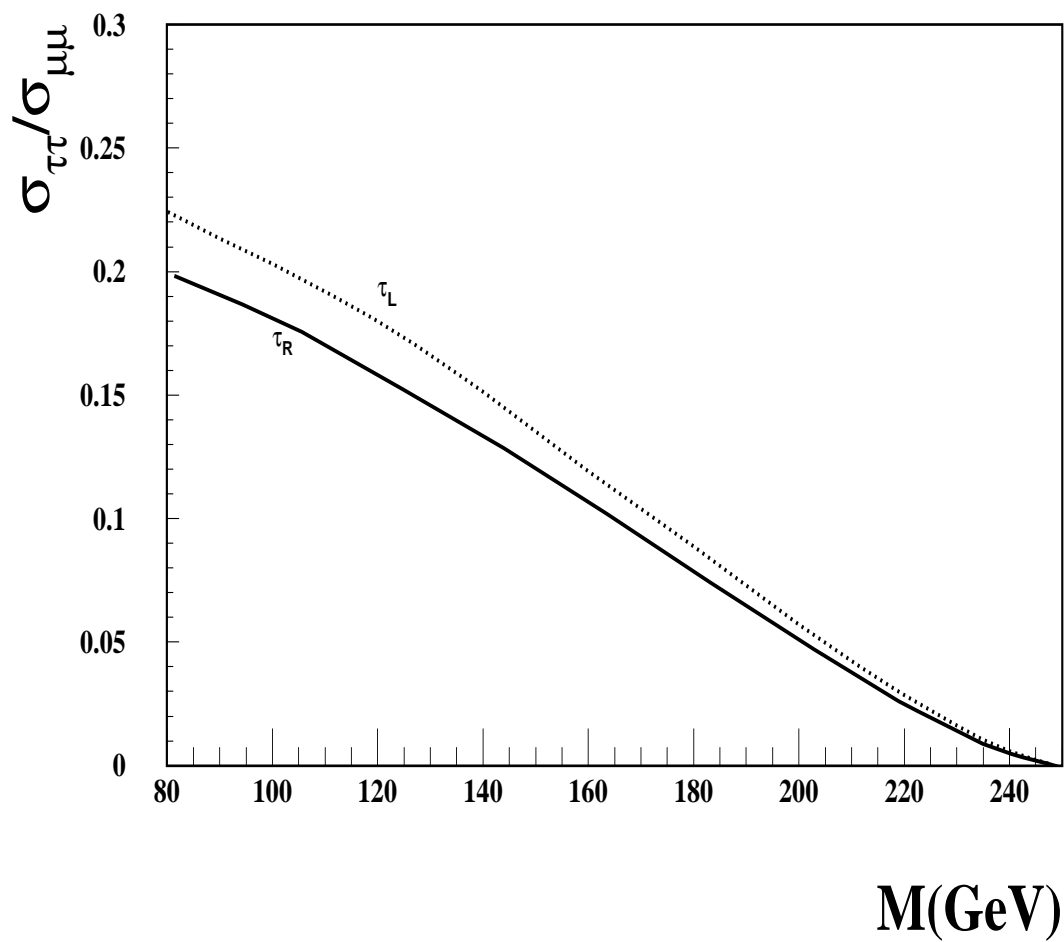
Signature: looks like $e^+e^- \rightarrow \mu^+\mu^-$ but heavy.

Tools for signal detection:

- Kinematics: $m^2 = E_{\text{beam}}^2 - p^2$
 $\delta p/p = 5 \times 10^{-5} p(\text{GeV})$
(Large detector scenario: 2m radius TPC)
- TOF ($\sigma_T = 50 \text{ ps}$)
- dE/dx (5% resolution)

$$e^+e^- \rightarrow \tilde{\tau}^+\tilde{\tau}^- \quad (\sqrt{s} = 500 \text{ GeV})$$

The production cross section is quite model-independent.



$$(\sigma_{\mu\mu} = 500 \text{ fb}^{-1})$$

Backgrounds:

- π, K, p, e

Require hits in muon chamber

- Two-photon events: $e^+e^- \rightarrow e^+e^-\mu^+\mu^-$

Tau pairs: $e^+e^- \rightarrow \tau^+\tau^-$, $\tau \rightarrow \mu\nu\nu$

$$|p| > 0.5E_{\text{beam}}, \quad |(P_{\text{tot}})_z| < 0.25E_{\text{beam}}$$

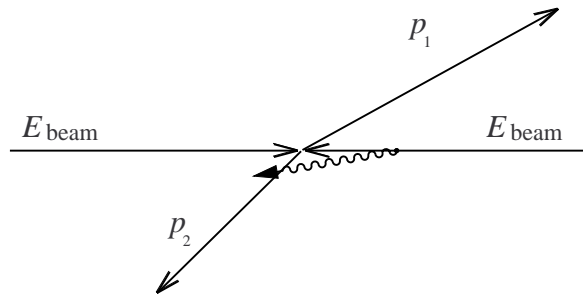
- Radiative $\mu\mu$: $e^+e^- \rightarrow \mu^+\mu^-\gamma$

No photons detected anywhere

- $e^+e^- \rightarrow \mu^+\mu^-$

Kinematic mass reconstruction

Initial-state radiation and beamsstrahlung
($E_{\text{beam}} = 250 \text{ GeV}$)



Assume single photon emission along the beam line.

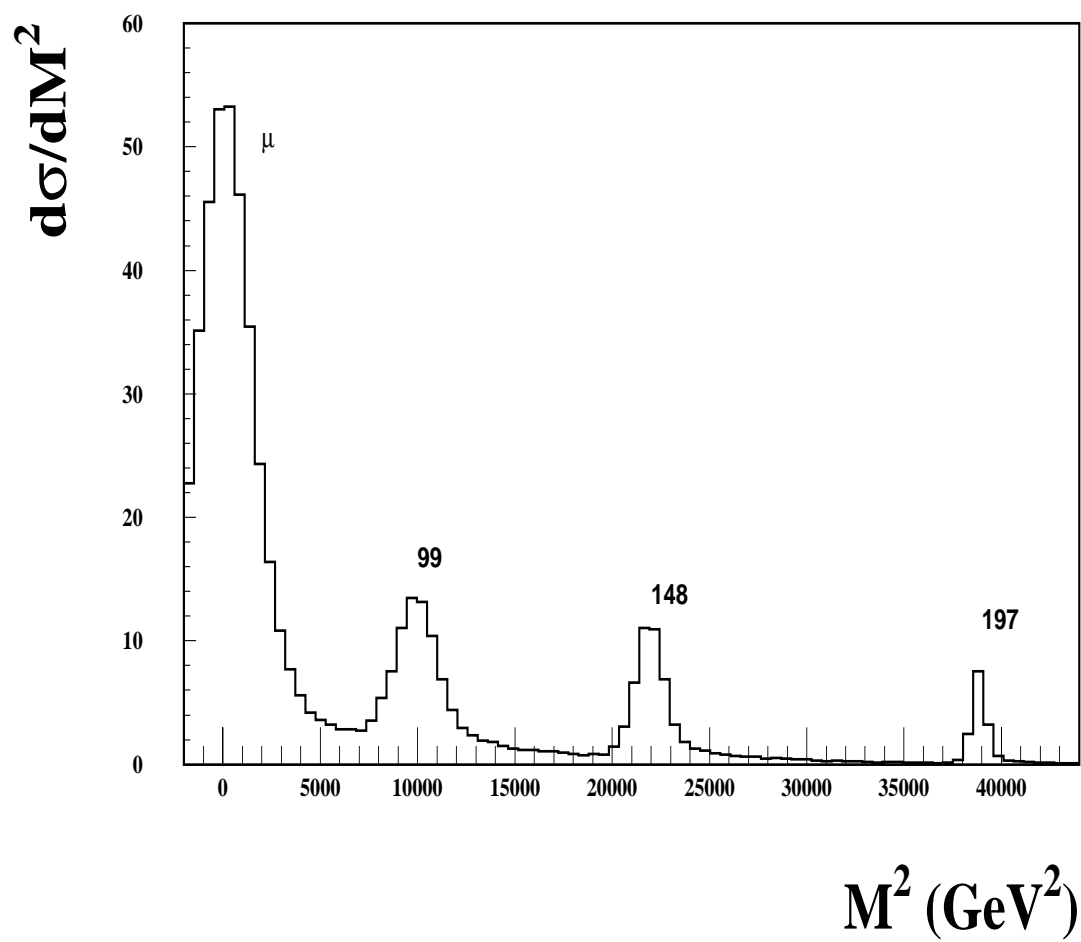
$$m_i^2 = \left(\frac{\sqrt{\hat{s}}}{2\gamma + \beta p_{zi}} \right)^2 - |\vec{p}_i|^2$$

$$\hat{s} = s(1 - |\Delta|), \quad \beta = \frac{\Delta}{2 - |\Delta|}$$

$$\Delta = \frac{p_{z\text{tot}}}{E_{\text{beam}}}$$

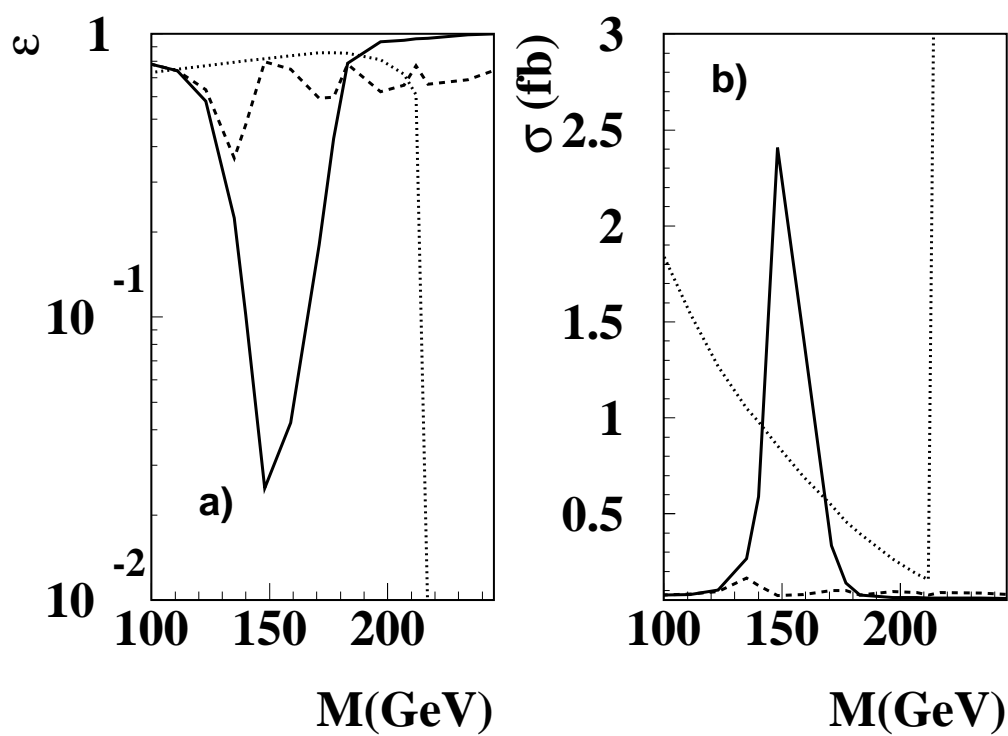
\hat{s} : invariant mass squared of p_1 and p_2

Mass measurements of $e^-e^+ \rightarrow \mu(\tilde{\tau})^-\mu(\tilde{\tau})^+$



With momentum smearing

Efficiency and $\sigma_{\tilde{\tau}+\tilde{\tau}^-}$ upper limit
 ($E_{\text{beam}} = 250 \text{ GeV}$, 50 fb^{-1})



..... kinematic mass estimation
 - - - TOF
 — dEdx

Lifetime Measurement

- For kinematic identification and dE/dx , need $\sim 1\text{m}$ of track.
- IF decays to τ , it cannot be μ .
→ identifiable down to $\sim 1\text{cm}$.
- Try both of the above cases.

Simplified (but realistic) analysis:

1. Count decays in two regions.

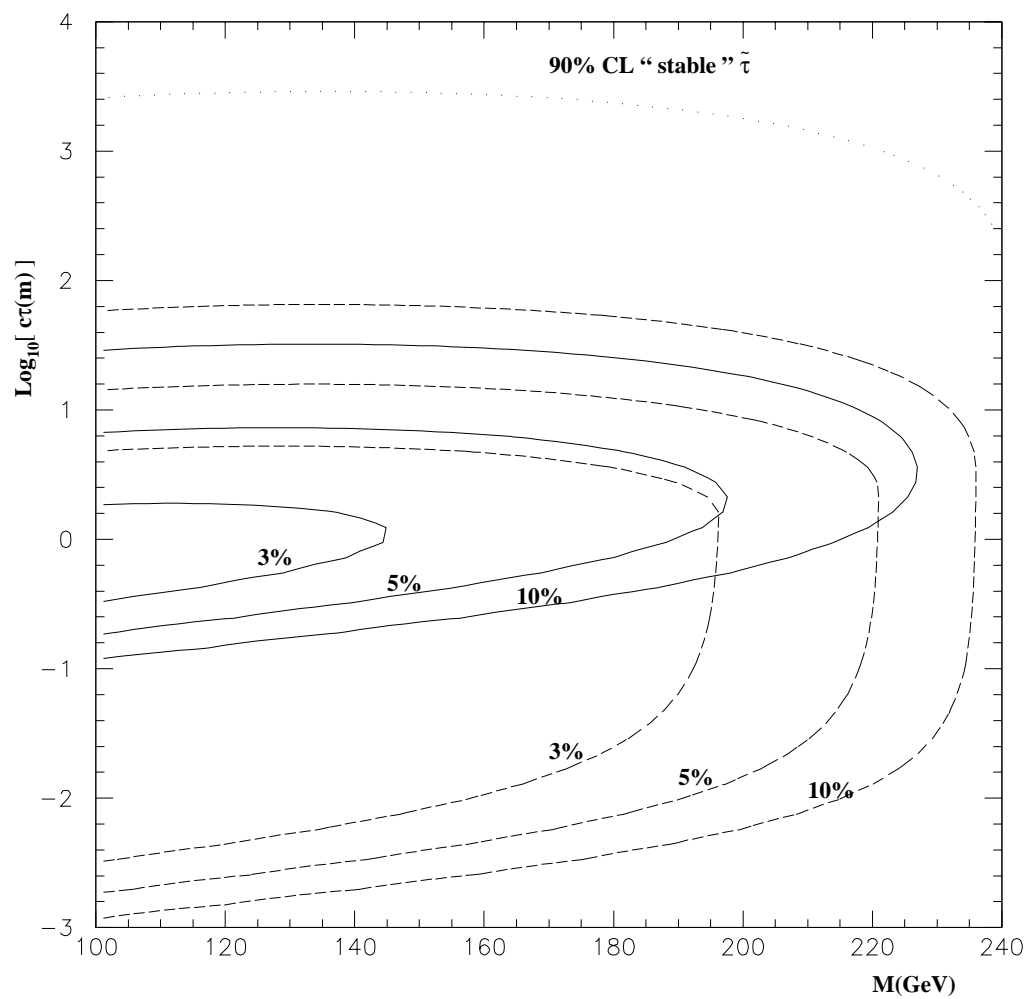
- n_1 : $r > r_{\text{max}}$
- n_2 : $r_{\text{min}} < r < r_{\text{max}}$

Measure $\frac{n_1}{n_2}$ to extract lifetime.
($r_{\text{min}} = 1\text{m}$ or 1cm)

- #### 2. For given total number of decays, the best sensitivity is for $n_1/n_2 \sim 4$. → adjust the boundary (r_{max}) as long as $r_{\text{max}} < 2\text{m}$.

(Assume all tracks perp to beam)

Lifetime Sensitivity

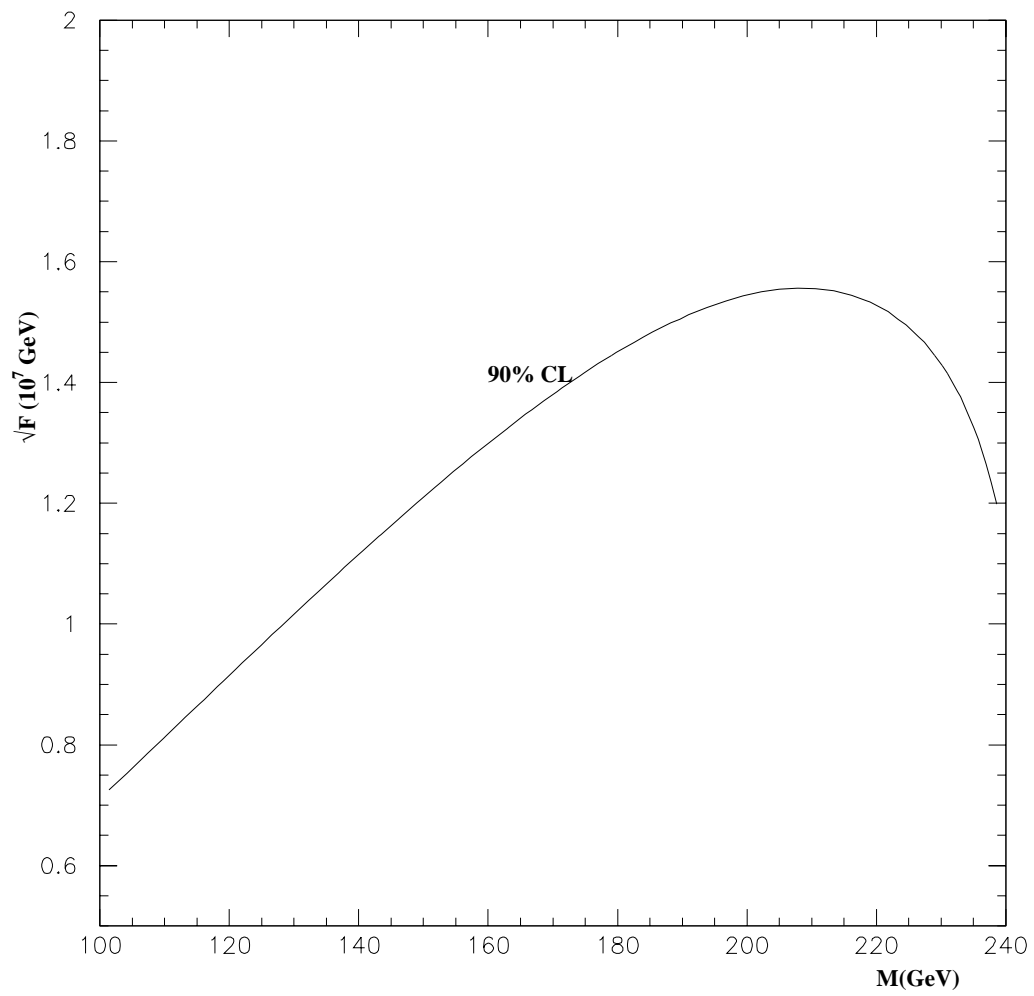


..... Lower limit when no decay in detector

- - - $r > 1\text{cm}$

— $r > 1\text{m}$

Lowerlimit on \sqrt{F}
(when there is no decay observed)



To-do:

- * Tau polarization in $\tilde{\tau}$ decay.
→ $\tilde{\tau}$ mixing angle.