

# PID Issues for Linear Collider Detectors

Hitoshi Yamamoto  
The University of Hawaii

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- Physics Needs
- Cerenkov Devices
- dEdx

## Physics Needs (Possible Use of PID)

- B-physics
- b,c tagging
- Detection of long-lived heavy charged particles (e.g.  $\tilde{\tau}$  in GMSB)
- Input for Kalman tracker

## B-Physics

**Main sources of  $b$  at LC:**

$$e^+e^- \rightarrow Z\gamma, t\bar{t}, Ze^+e^-, b\bar{b}$$
$$\sigma_{b\bar{b}} \sim 5 \text{ pb total } (\sqrt{s} \sim 500 \text{ GeV})$$

$$50 \text{ fb}^{-1} \rightarrow 2.5 \times 10^5 b\bar{b} \text{ pairs}$$

$$e^+e^- \text{ B-factory: } \sim 10^8 b\bar{b} \text{ pairs/yr}$$
$$\rightarrow \text{needs } 10^3 \text{ times more stat.}$$

But, if  $50 \text{ fb}^{-1}$  on  $Z^0 \rightarrow 3 \times 10^8 b\bar{b}$ 's

LC not competitive in B-physics unless  
>  $50 \text{ fb}^{-1}$  on the  $Z^0$  peak

## ***b, c* tagging**

For example:

$$e^+e^- \rightarrow Z^0 H^0, \quad H^0 \rightarrow b\bar{b}, c\bar{c}$$

### **Methods:**

#### **1. Vertexing**

b-tag:  $\epsilon = 55\%$ , purity = 98%

c-tag:  $\epsilon = 45\%$ , purity = 75%

#### **2. Exclusive charm reconstructions**

$$c \rightarrow D^{*+}, \quad D^{*+} \rightarrow D^0 \pi^+, \quad D^0 \rightarrow K^- \pi^+$$

Overall  $Br \sim 0.01$ ,  $\epsilon_{\text{det}} \sim 0.4$ .

Other channels  $\rightarrow \epsilon_{\text{c-tag}} \sim 0.02$ .

Purity  $\sim 90\%$  for the cleanest.

Not competitive w.r.t. vertexing.

But provides independent check.

(b-counting, c-counting)

# Cerenkov Devices

- Forward type

**HERA-B** Gas RICH,  $L = 3$  m  
 $\pi/K$  upto 90 GeV

**LHC-B** Aerogel,  $\pi/K$  1.4-12 GeV  
Gas RICH,  $\pi/K$  8-140 GeV

Long path length,  $B = 0$   
→ not applicable for LCD.

- Barrel type

**DELPHI** Gas+liquid RICH, **60 cm thick**  
 $\pi/K$  0.7-40 GeV

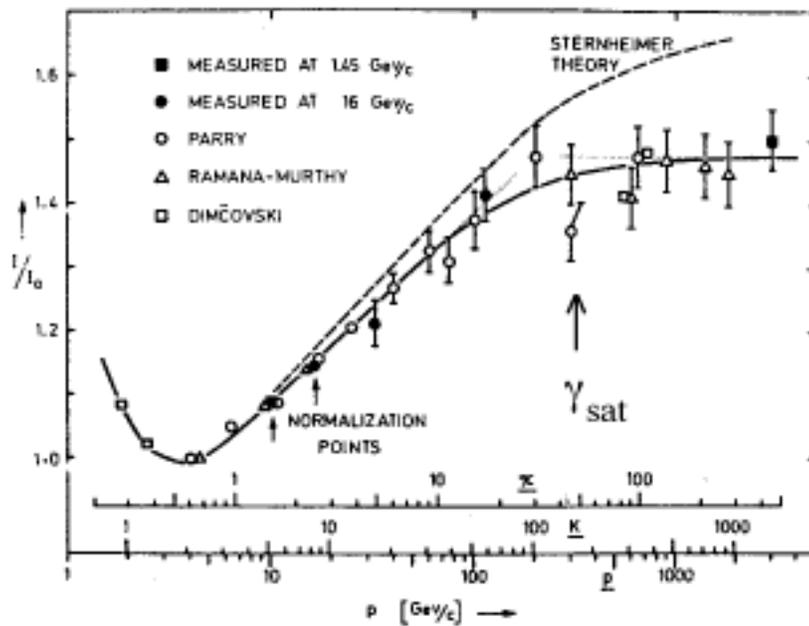
**CLEO-3, BaBar, Belle, Alice**  
10-30 cm thick,  $X_0 = 10 - 15\%$   
 $\pi/K$  upto 3-4 GeV - **realistic for LCD**

# dEdx

$$\gamma_{\text{sat}} \sim \frac{I}{\hbar\omega_p}$$

$I \sim 12Z(\text{eV})$  (ionization energy)

$\hbar\omega_p \sim 20\sqrt{\rho(\text{g/cm}^3)}$  (eV) (plasma freq)



## Saturation Point for Gasses (1 atm)

| gas                            | $I$<br>(eV) | $\hbar\omega_p$<br>(eV) | $\gamma_{\text{sat}}$ | $p_{\text{sat}}^{\pi/K}$<br>(GeV/c) |
|--------------------------------|-------------|-------------------------|-----------------------|-------------------------------------|
| He                             | 41.8        | 0.27                    | 154                   | 21/76                               |
| Ar                             | 188         | 0.82                    | 230                   | 32/115                              |
| Xe                             | 482         | 1.41                    | 341                   | 48/170                              |
| CH <sub>4</sub>                | 41.7        | 0.61                    | 68.4                  | 10/34                               |
| C <sub>2</sub> H <sub>6</sub>  | 45.4        | 0.82                    | 55.3                  | 8/28                                |
| C <sub>3</sub> H <sub>8</sub>  | 47.1        | 0.96                    | 49.1                  | 7/24                                |
| C <sub>4</sub> H <sub>10</sub> | 48.3        | 1.14                    | 42.4                  | 6/21                                |

Saturation point is higher for heavier atoms.

Hydro-carbons:  $\gamma_{\text{sat}} \sim 50$ .

$$dEdx(\pi) \sim dEdx(K) \text{ at } p_{\text{sat}}(K) \sim 3.6p_{\text{sat}}(\pi).$$

→  $\pi/K$  separation starts to degrade at  $p_{\text{sat}}(\pi)$   
and completely useless at  $p_{\text{sat}}(K)$ .

**Bethe-Bloch Formula (Max-T improved)**  
(PDG 1998)

$$\frac{dE}{dx} \propto \frac{1}{\beta^2} \left[ \frac{1}{2} \ln \frac{2m_e \beta^2 \gamma^2 T_0}{I^2} - \frac{\beta^2}{2} \left( 1 + \frac{T_0}{T_{\max}} \right) - \frac{\delta}{2} \right]$$

$$T_0 = \min(T_{\text{cut}}, T_{\max})$$

$T_{\max}$ : maximum kinetic energy of recoil electron.

$$T_{\max} = \frac{2P^2 m_e}{M^2 + m_e^2 + 2Em_e}$$

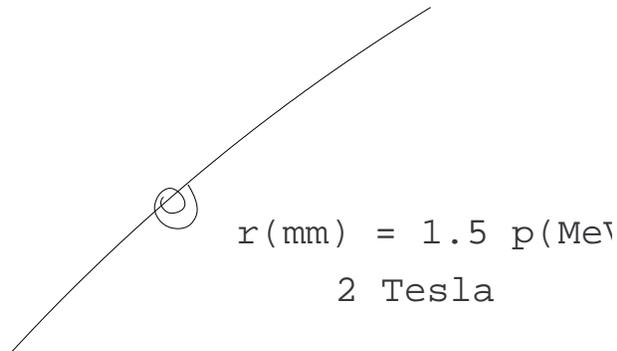
$M, E, P$ : mass, energy, momentum of projectile.

$$T_{\max} \sim E \text{ for } \gamma \gg M/m_e.$$

→ separate track

$T_{\text{cut}}$  : effective cutoff on recoil energy

## Effective Cutoff $T_{\text{cut}}$



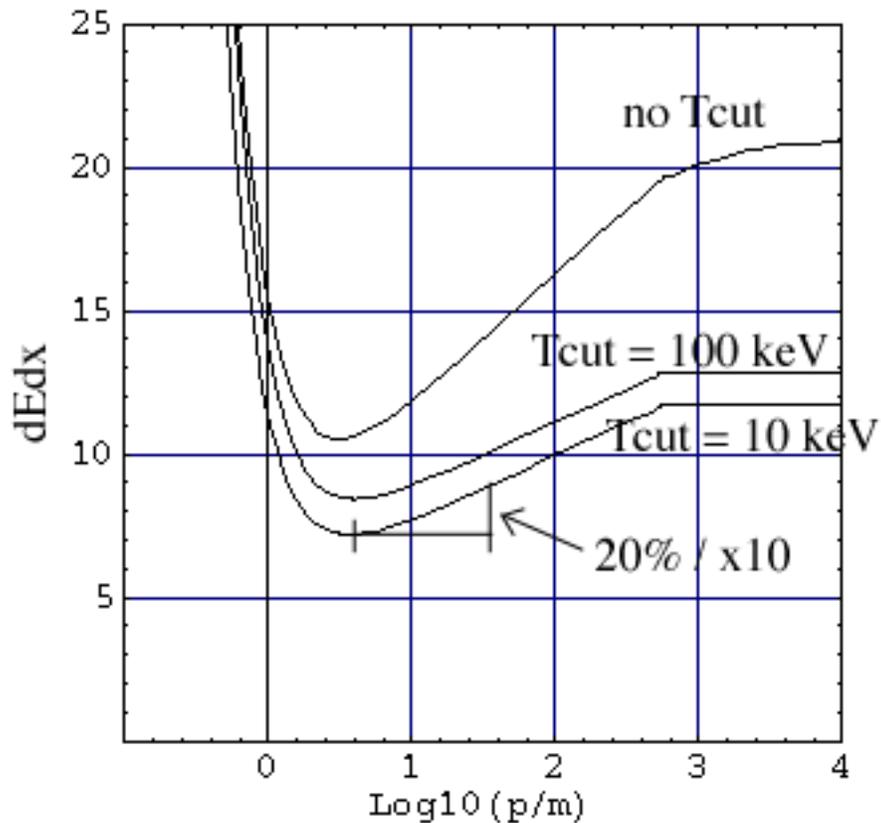
$r(\text{mm}) = 1.5 \frac{p(\text{MeV})}{2 \text{ Tesla}}$

- If the **radius of curler** is larger than order 1 mm, the hit may be rejected.  
→  $T_{\text{cut}} \sim$  a few 100 keV.
- **Average energy deposit:**  
~ 3 keV/cm for Ar, C<sub>2</sub>H<sub>4</sub> ...  
~ 0.35 KeV/cm for He.

→  $T_{\text{cut}}$  of a few 100 keV is a cut on the energy deposit on a single drift chamber cell (i.e. the measured pulse height).

## Effect of $T_{\text{cut}}$

Ar at STP

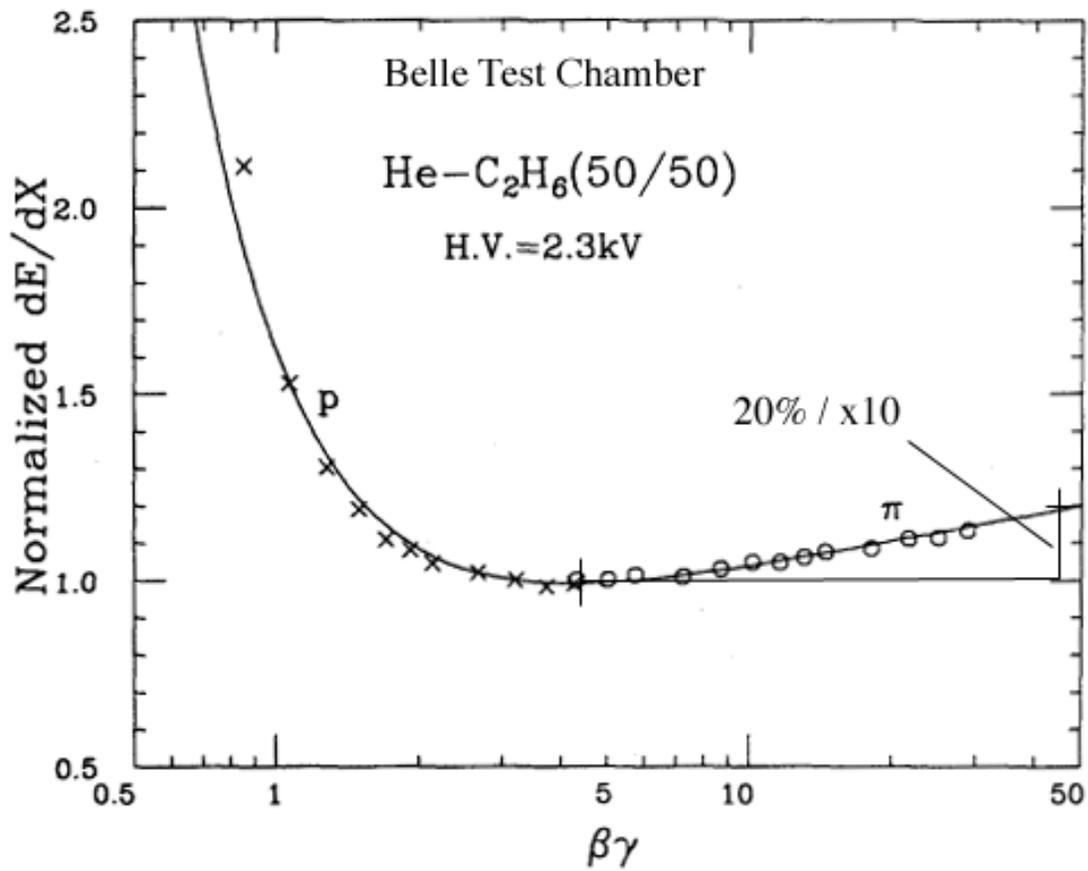


- The kink at  $\log_{10} p \sim 2.7$  is due to the density effect:

$$\frac{\delta}{2} \sim -\ln \gamma_{\text{sat}} + \ln \beta\gamma - \frac{1}{2}$$

- The logarithmic rise reduced by about factor of 2 by  $T_{\text{cut}}$ , but no difference between  $T_{\text{cut}} = 100 \text{ keV}$  and  $10 \text{ keV}$ .

## Comparison with data



Discard top 20% of pulse heights.  
( $T_{\text{cut}} \sim 10$  keV)

## dEdx resolution

Empirical formula for gas-sampling device  
(Walenta)

$$\frac{\sigma}{\mu}(dEdx) = 0.41n^{-0.43}(xP)^{-0.32}$$

$n$  # sample  
 $x$  sample thickness (cm)  
 $P$  pressure (atm)

Fairly independent of the type of gas.

The Allison-Cobb obtains  $n^{-0.46}$  dependence.

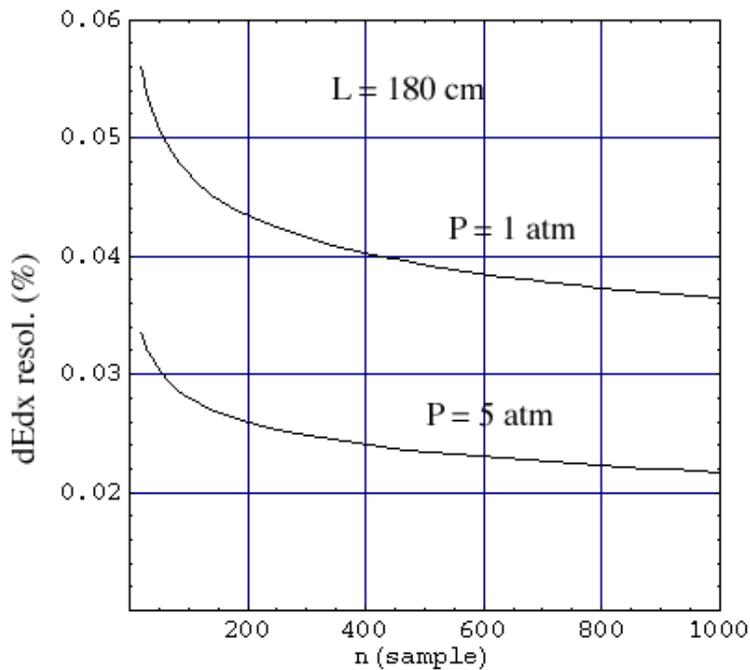
If each layer ( $xP$ ) is independent, and simply increase the number of samples, one expects

$$\frac{\sigma}{\mu} \propto n^{-0.5}$$

## Expected and measured dEdx resolutions

| det.     | $n$ | $x(\text{cm})$ | $P$     | exp. | meas.          |
|----------|-----|----------------|---------|------|----------------|
| Belle    | 52  | 1.5            | 1 atm   | 6.6% | 5.1% ( $\mu$ ) |
| CLEO2    | 51  | 1.4            | 1 atm   | 6.4% | 5.7% ( $\mu$ ) |
| Aleph    | 344 | 0.36           | 1 atm   | 4.6% | 4.5% ( $e$ )   |
| TPC/PEP  | 180 | 0.5            | 8.5 atm | 2.8% | 2.5%           |
| OPAL     | 159 | 0.5            | 4 atm   | 3.0% | 3.1% ( $\mu$ ) |
| MKII/SLC | 72  | 0.833          | 1 atm   | 6.9% | 7.0% ( $e$ )   |

Optimization: for a fixed total length, increase  $n$ :  
(use the scaling law)



One cannot indefinitely increase  $n$ .

- # of primary ionization  $n_p$

$$n_p \sim 1.5 Z/\text{cm} \quad (Z : \text{per molecule})$$

$$n_p = 2/\text{cm} \text{ (He)}, 15/\text{cm} \text{ (CH}_4\text{)}, 27/\text{cm} \text{ (Ar)}$$

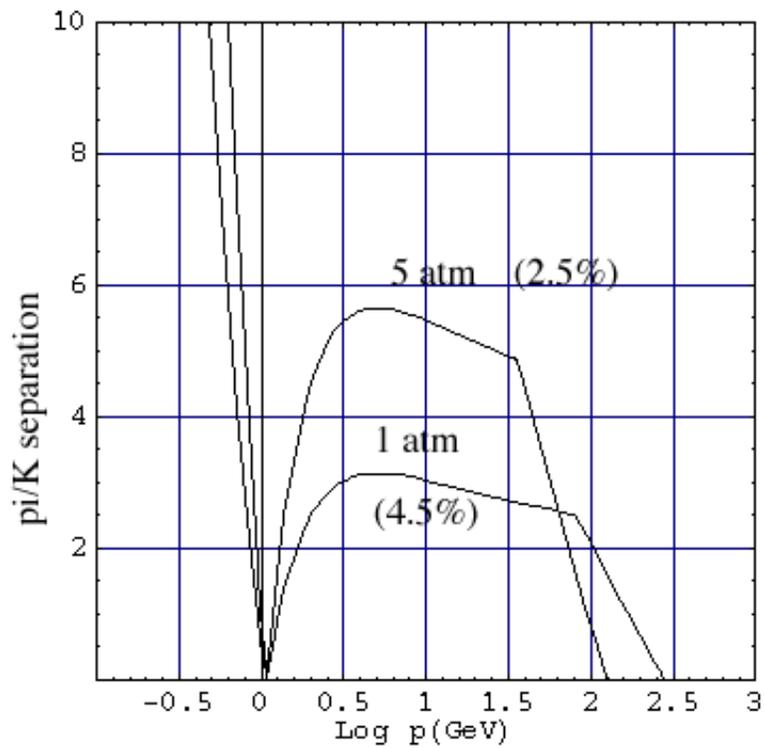
No gain after  $n_p \sim 1$  (i.e.  $x \sim \text{mm}$ )

- electronical noise

Assume 4.5% for 1 atm chamber  
2.5% for 5 atm chamber

Note: the higher the pressure, the larger the  $\hbar\omega_p$   
→ quicker the saturation.

## $\pi/K$ Separation



**1 atm:**  $> 2\sigma$  for  $p < 0.8$ ,  $1.75 < p < 100$  GeV/c

**5 atm:**  $> 2\sigma$  for  $p < 0.9$ ,  $1.25 < p < 65$  GeV/c  
 $> 4\sigma$  for  $1.75 < p < 50$  GeV/c

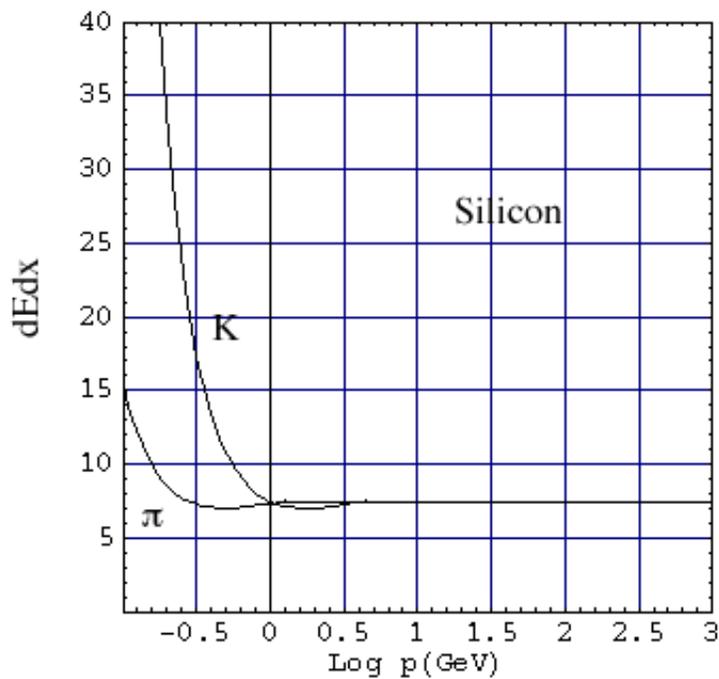
## dEdx in Silicon

$$\rho(\text{Si}) = 2.33 \text{ g/cm}^3 \gg \rho(\text{gas})$$

$$\hbar\omega_p(\text{Si}) \sim 35\hbar\omega_p(\text{gas})$$

$$\gamma_{\text{sat}}(\text{Si}) = \frac{I}{\hbar\omega_p} \sim 5.4 \text{ (ref: } \gamma_{\text{min}} \sim 4)$$

→ Essentially no logarithmic rise



dE in 5 layers of 0.3mm-thick Si = 0.6 MeV  
( $\sim 1.5$  m of gas) : a Si layer is **'thick'**.

## dEdx Resolution in Silicon

At the mercy of Landau tail.

- **Babar study (Schumm)**

5 layers Si strip, 0.3mm each  
Simulation based on the Vavilov model.

Discard top  $n$  pulse heights.

| $n$              | 0    | 1    | 2    | 3    | 4    |
|------------------|------|------|------|------|------|
| $\sigma/\mu(\%)$ | 13.9 | 11.3 | 10.4 | 11.7 | 13.7 |

( $\pi$  at 450 MeV/c)

- **ALICE study (Batyunya)**

2 layers Si strip + 2 layers Silicon drift  
Simulation based on GEANT.

Discard top 2 pulse-heights.

| $p_K(\text{GeV}/c)$ | 0.44 | 0.5 | 0.78 | 0.88 | 0.98 |
|---------------------|------|-----|------|------|------|
| $\sigma/\mu(\%)$    | 8.6  | 9.1 | 10.4 | 10.6 | 10.6 |

(Kaon)

## $\pi/K$ Separation by Silicon

4~5 layers of Silicon layers 0.3mm each  
→ ~ 11% resolution near MIP.

Assume  $n^{-0.43}$  and  $x^{-0.32}$  dependence

$$\frac{\sigma}{\mu}(dEdx) \sim 0.14 n^{-0.43} x(\text{mm})^{-0.32}$$

Model detector (small):  $n = 6$ ,  $x = 0.3\text{mm}$ .  
dEdx resolution ~ 9.7%.

- >  $2\sigma$   $\pi/K$  separation for  $p < 0.65$  GeV/c.
- Adequate for slow and stable  $\tilde{\tau}$  search.
- But no good for high-P  $D$  reconstruction etc.

Dynamic range required to go down to  
100 MeV/c: ~ 20×MIP.

## dEdx Summary

### Gas:

- The scaling law  $n^{-0.43}x^{-0.32}$  works reasonably.
- For Ar  $L = 180$  cm,
  - 1 atm: 4.5%,  $\pi/K > 2\sigma$  up to 100 GeV
  - 5 atm: 2.5%,  $\pi/K > 4\sigma$  up to 50 GeV.
- The 'blind spot' near 1 GeV/c is 0.95 GeV/c wide for 1 atm, 0.35 GeV/c for 5 atm.
- Number of sampling: larger the better up to around 1000.
- In general, the heavier atom the better  
Ar over He or hydro-carbons.
- Pressurization improves resolution, but brings down the saturation momentum.

### Silicon:

- No relativistic rise for Si:  
effective only for  $p < 0.65$  GeV/c.  
The resolution of 10% is readily achievable and adequate for heavy charged particle searches.
- Dynamic range up to 20 MIP is needed.